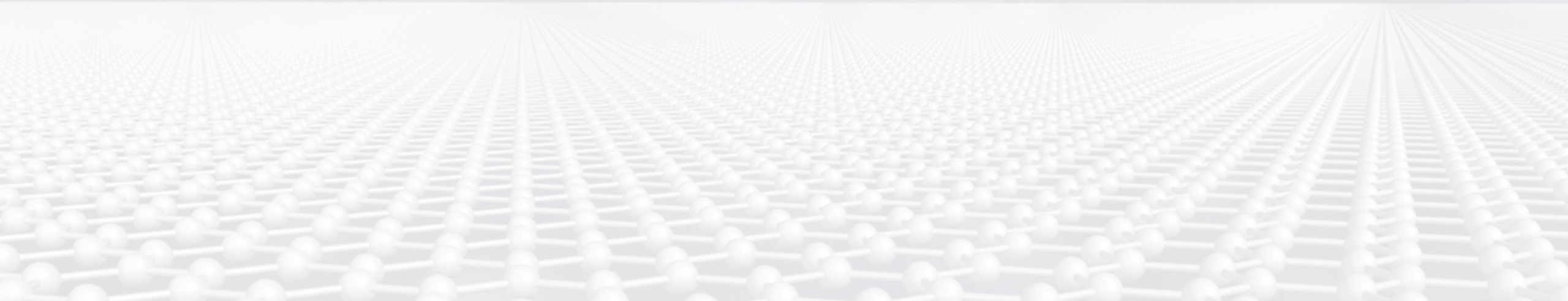


# Detecting and quantifying orbital magnetism in moiré quantum matter

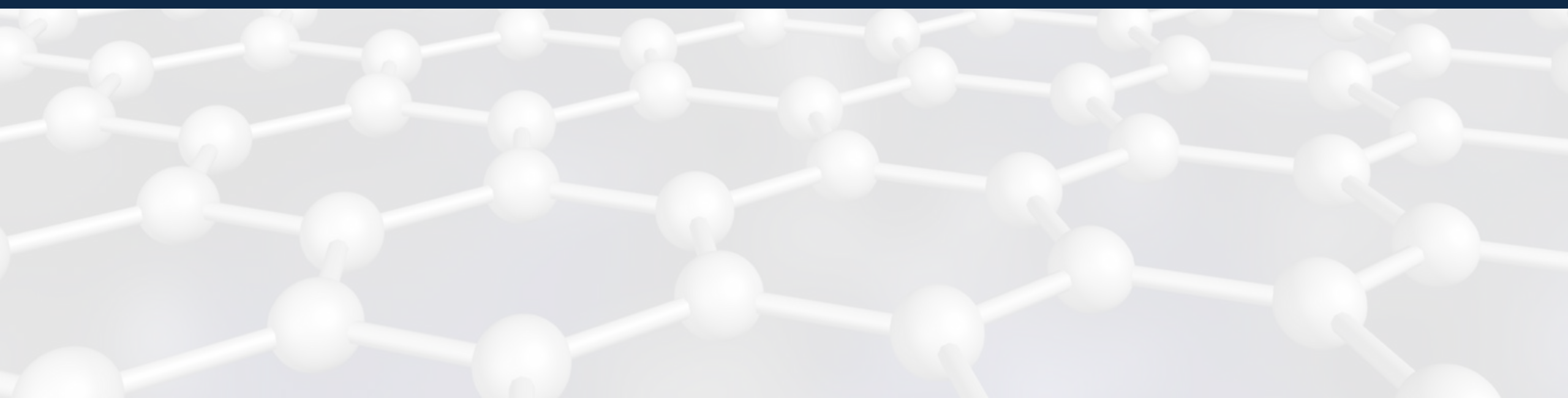
Yulia Maximenko

Assistant Professor, Physics Department  
Colorado State University/NIST

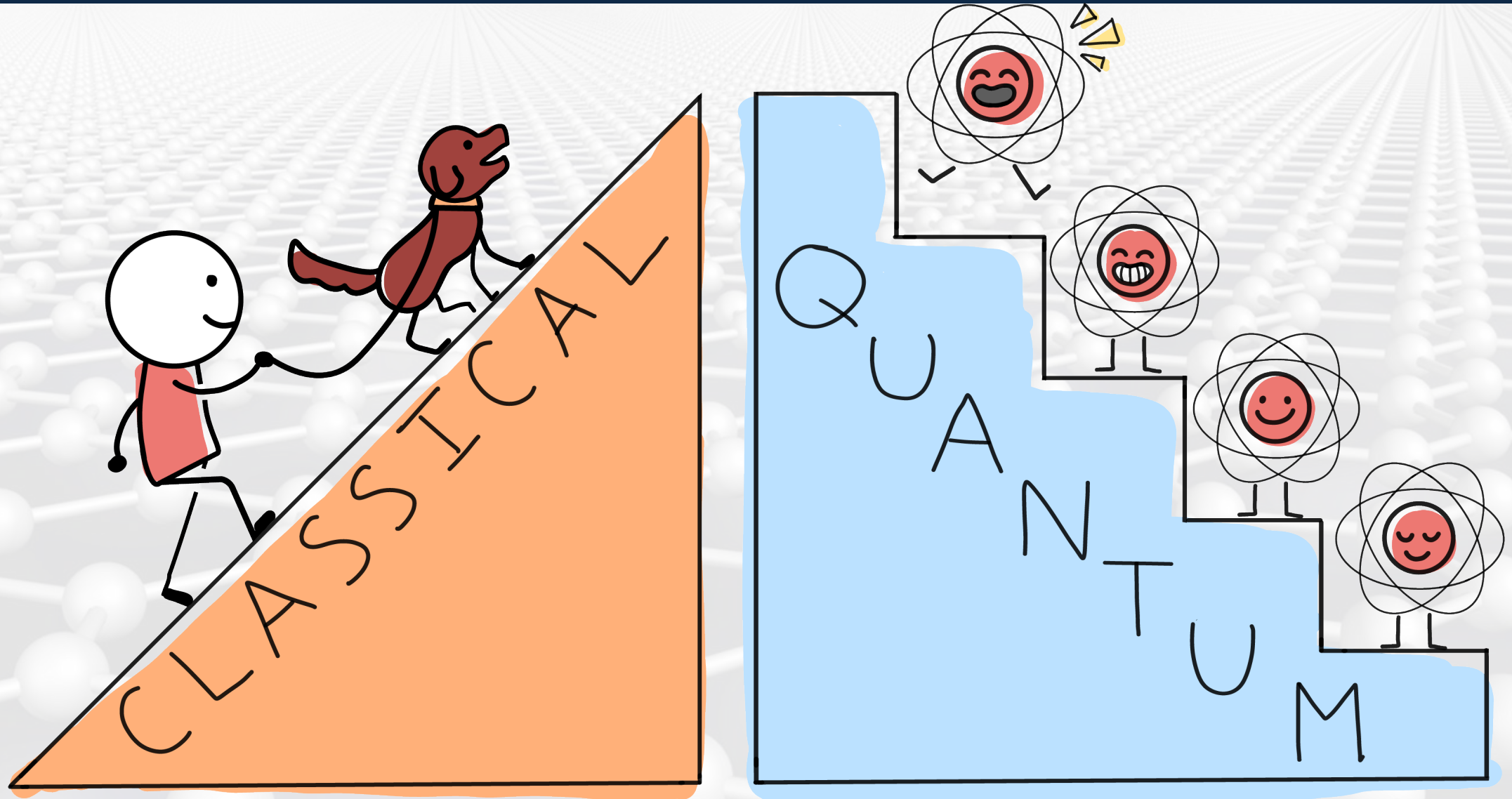
SuperQmap ESSM24, 4/24/2024



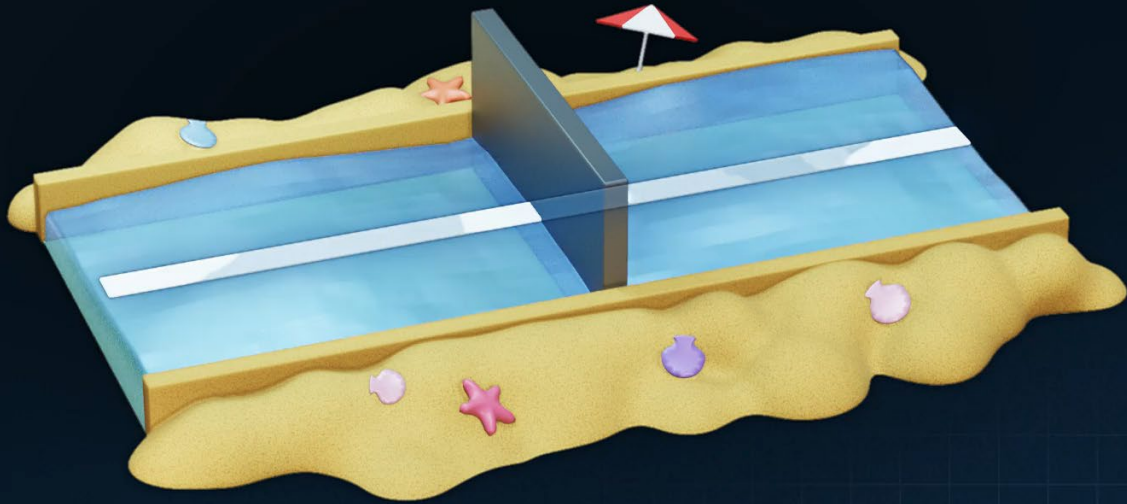
# Scanning tunneling microscopy



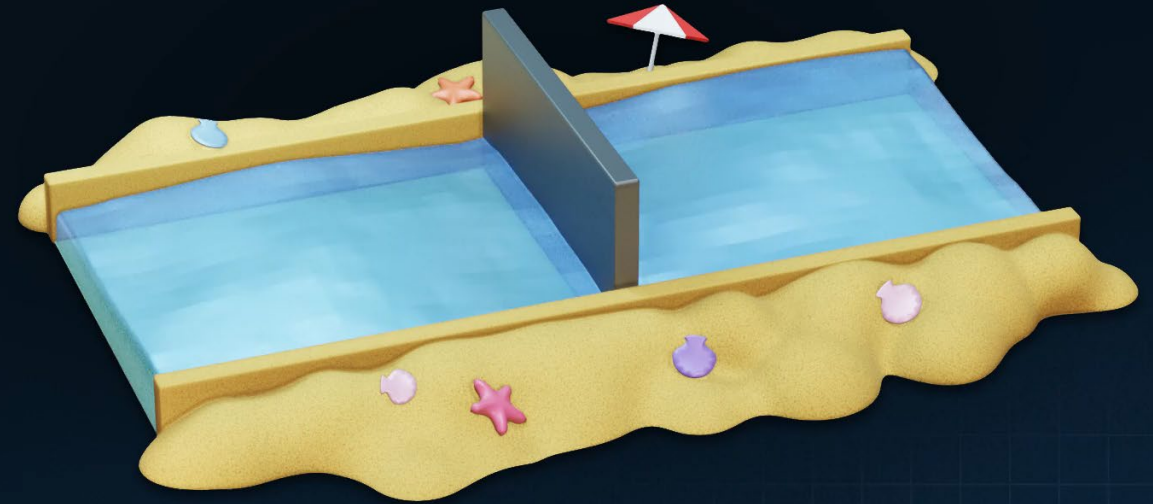
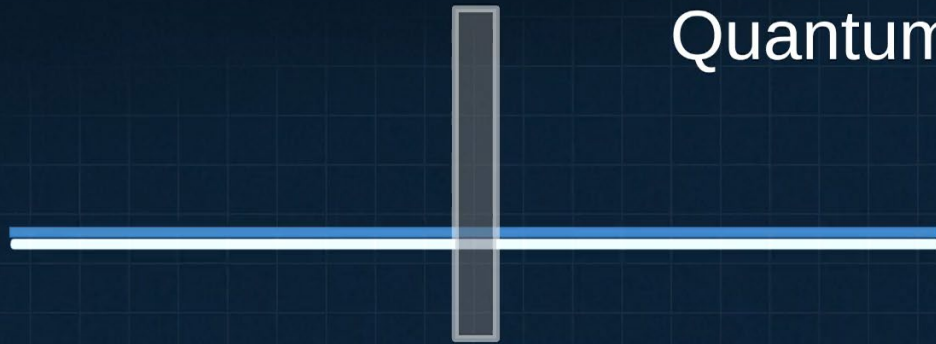
# Classical vs Quantum?



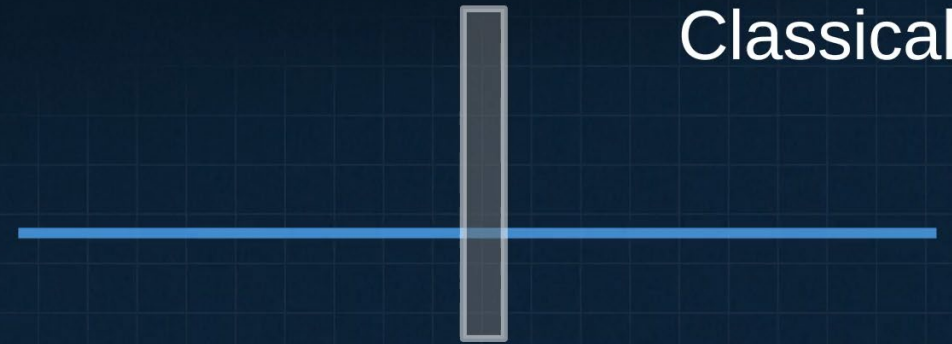
# Quantum tunneling



Quantum

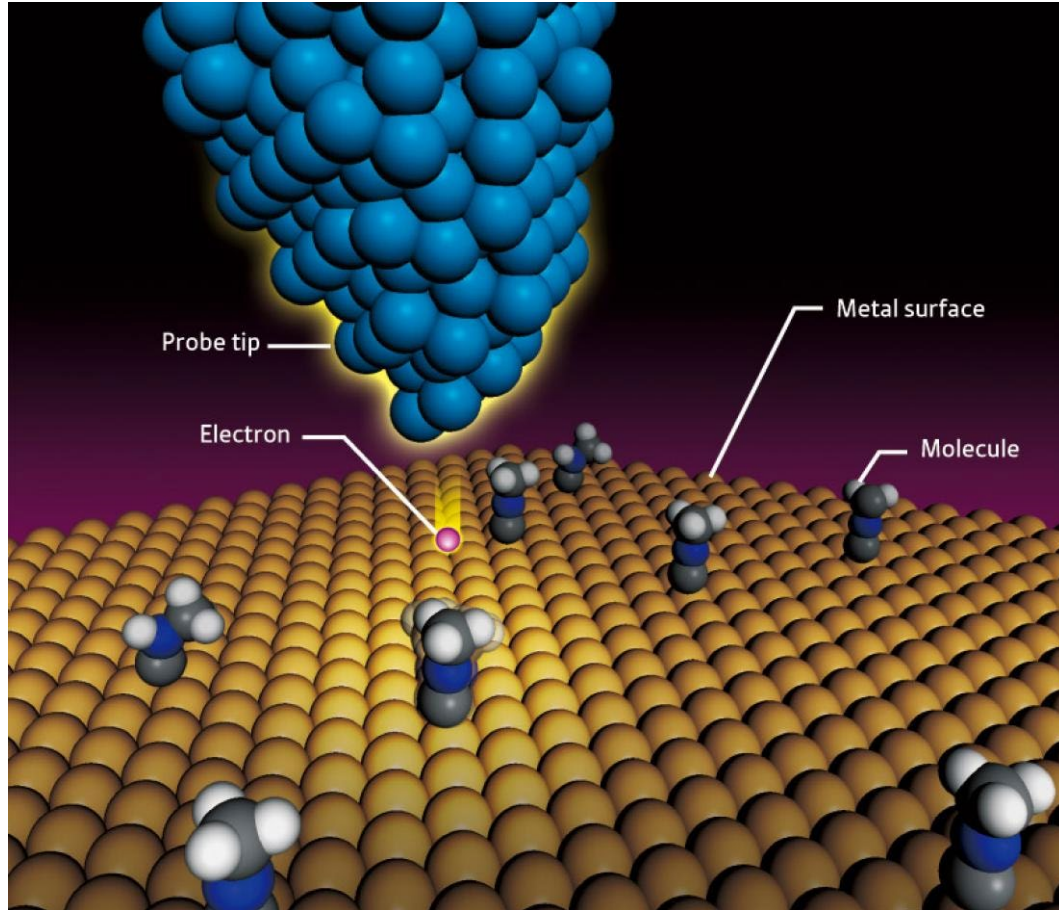


Classical

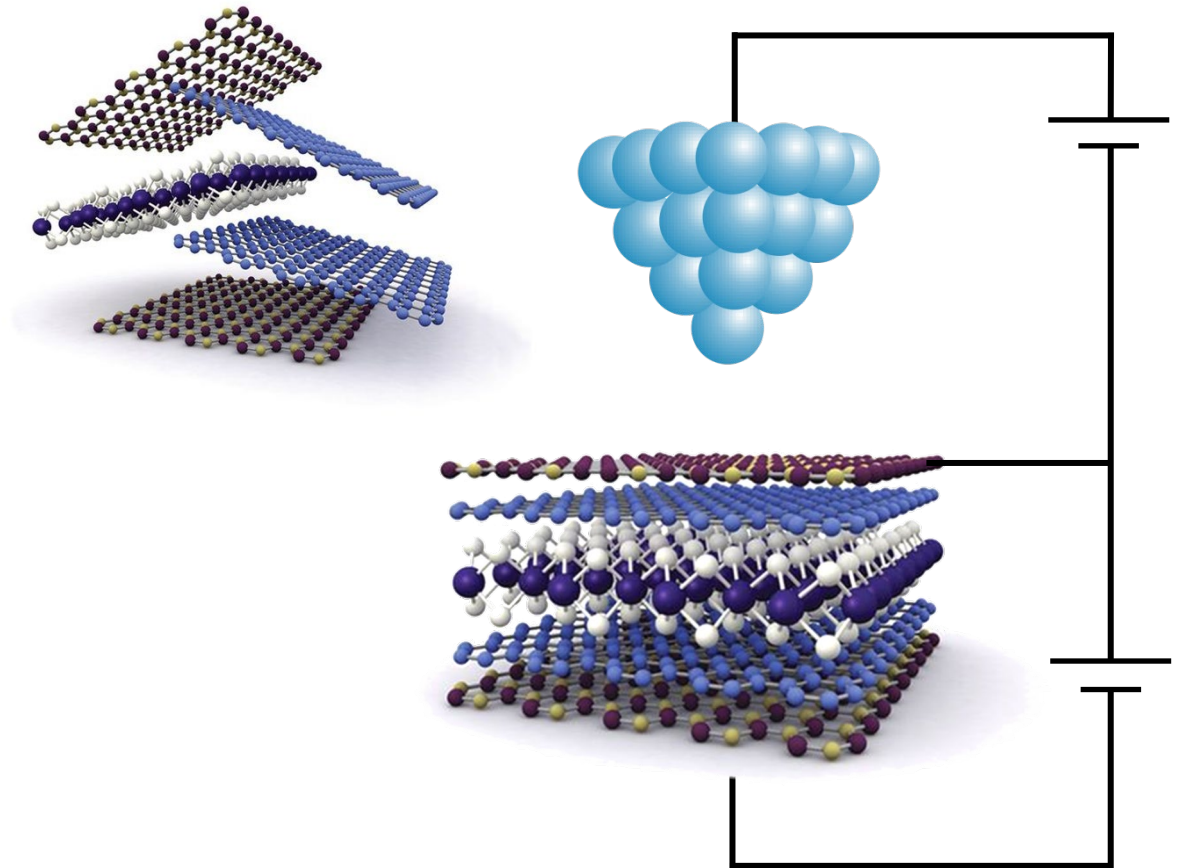


# Scanning tunneling microscopy

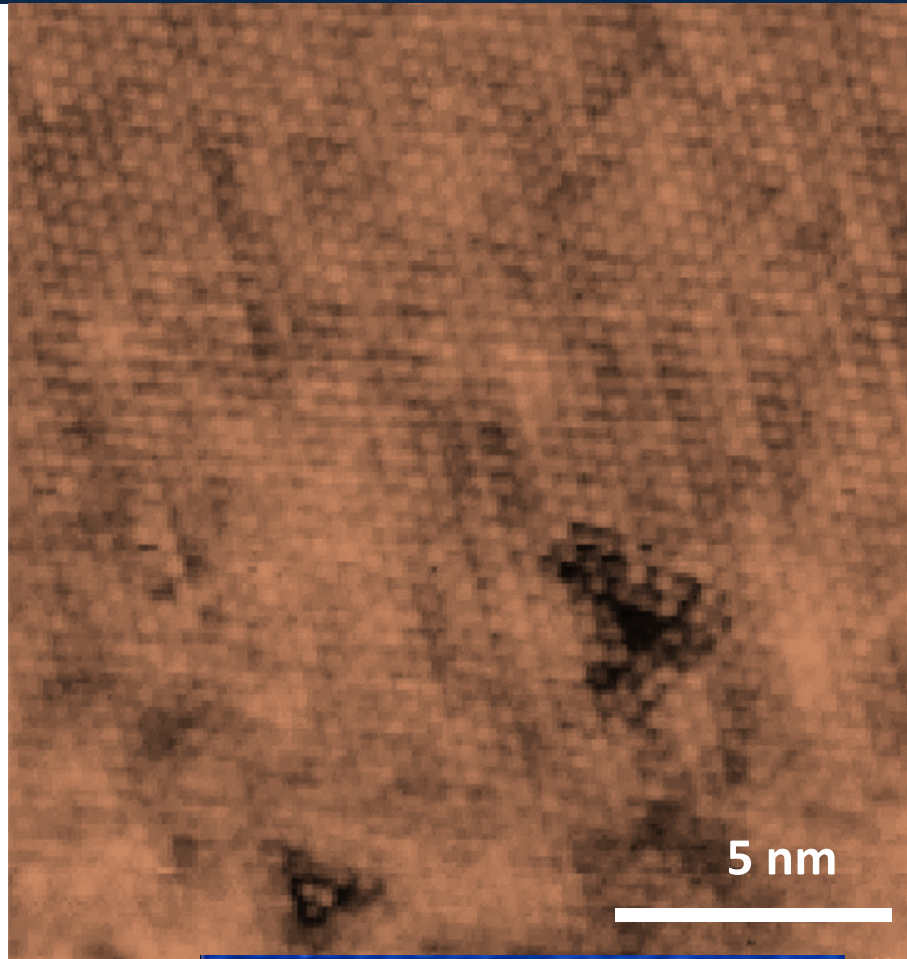
## Single atoms and molecules



## Devices



# Quantum properties with atomic resolution

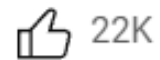


@LuxisAlukard 2 years ago

"Resolution of this movie is 50x30."

"Pixels?"

"Atoms"

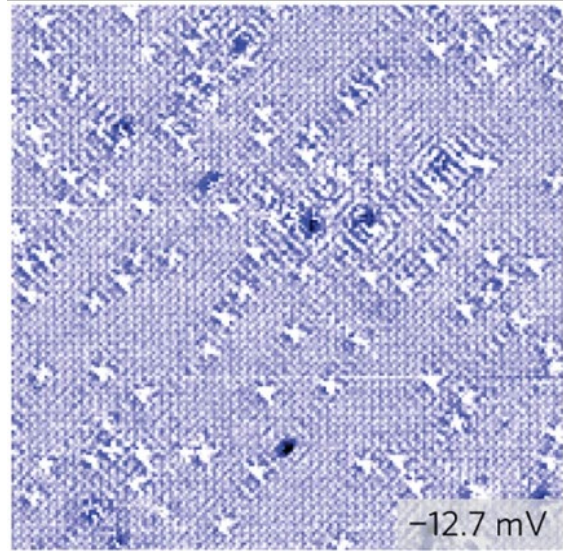


22K

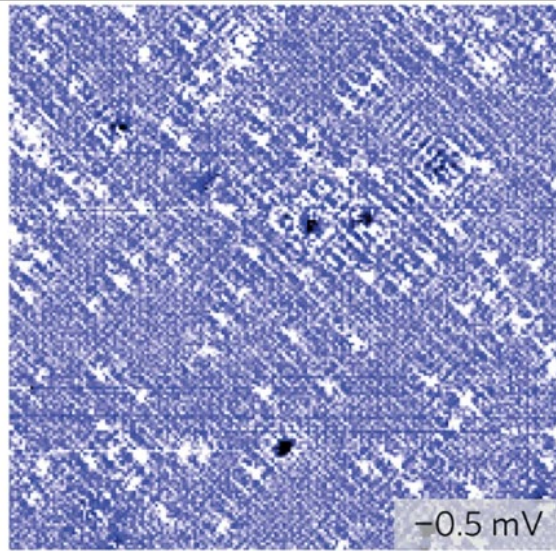


Reply

# Quantum properties with atomic resolution

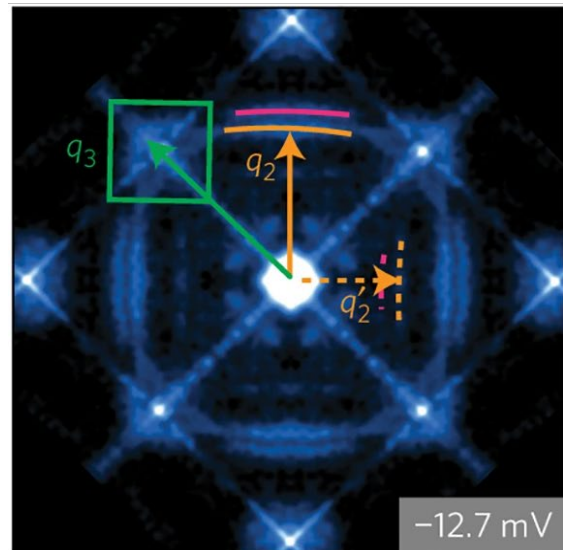


-12.7 mV

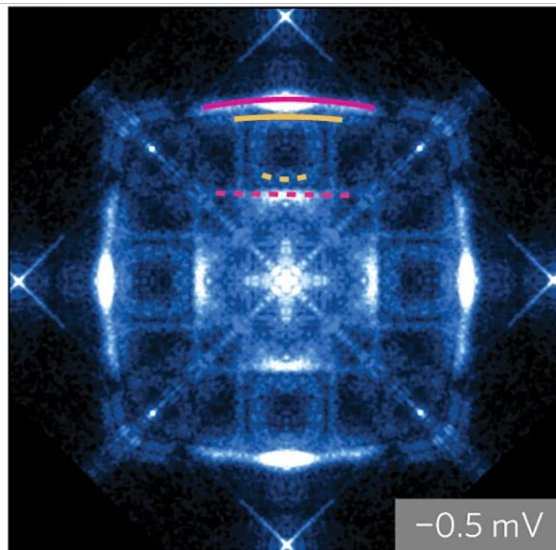


-0.5 mV

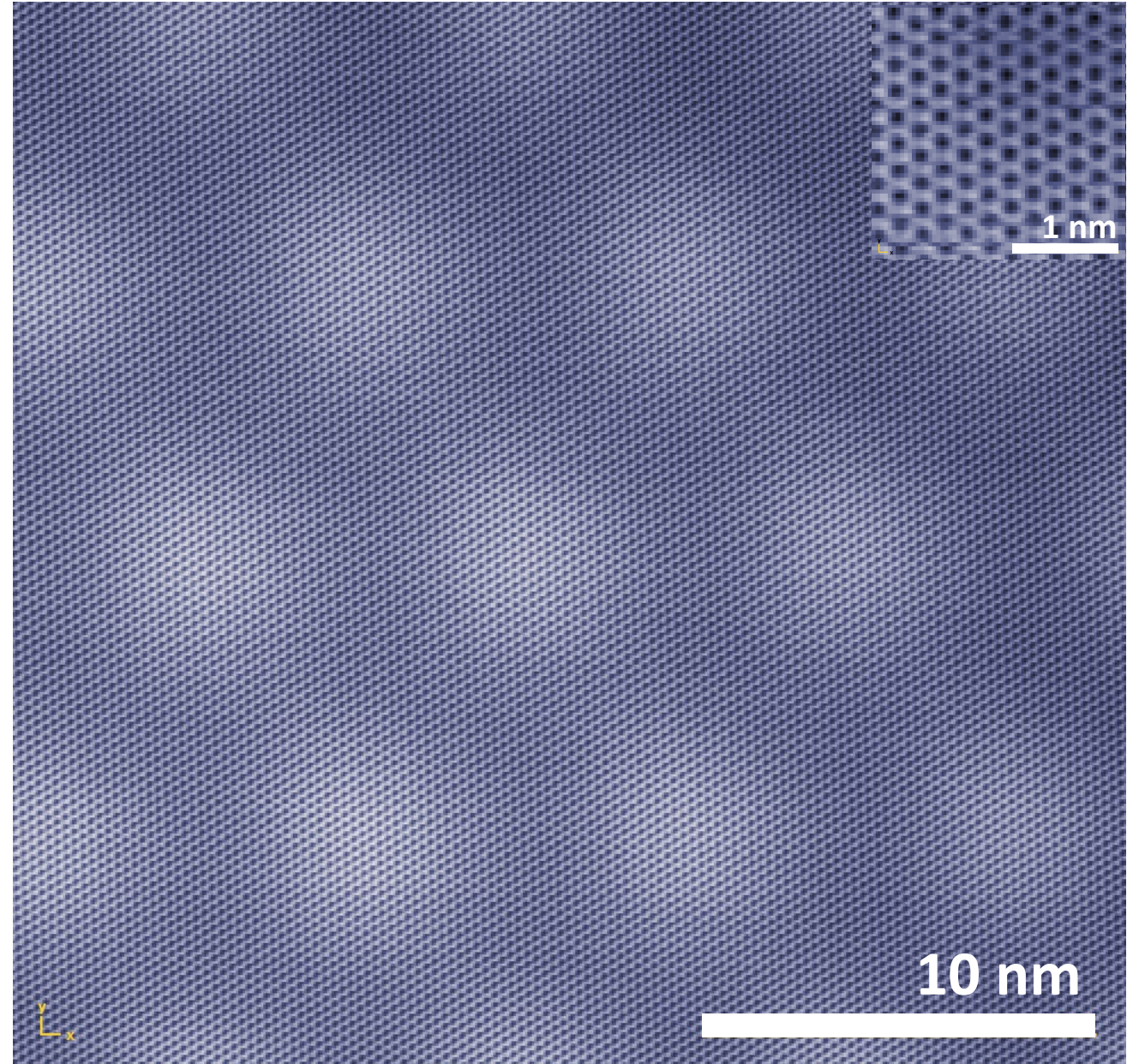
$\text{Sr}_2\text{RuO}_4$



-12.7 mV



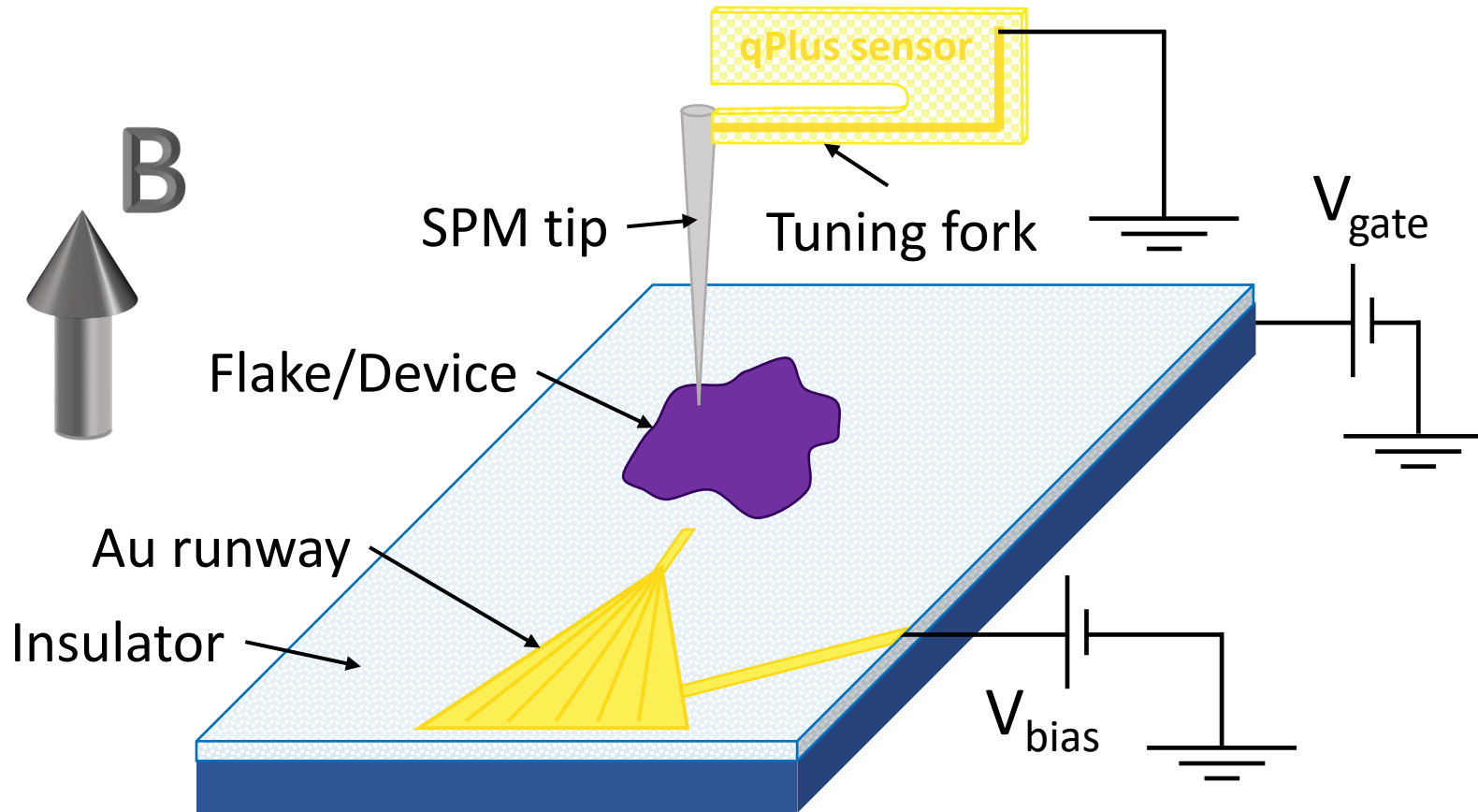
-0.5 mV



1 nm

10 nm

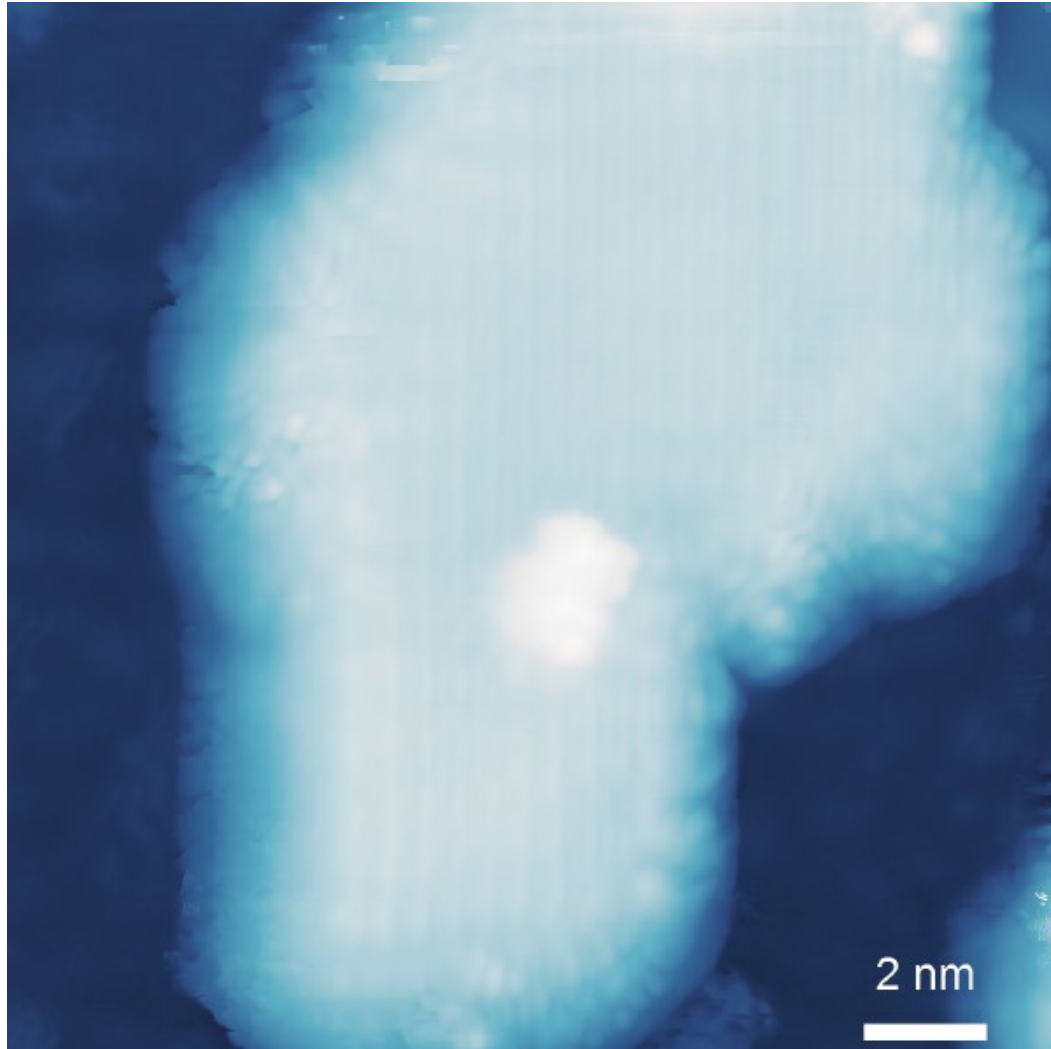
# STM of devices



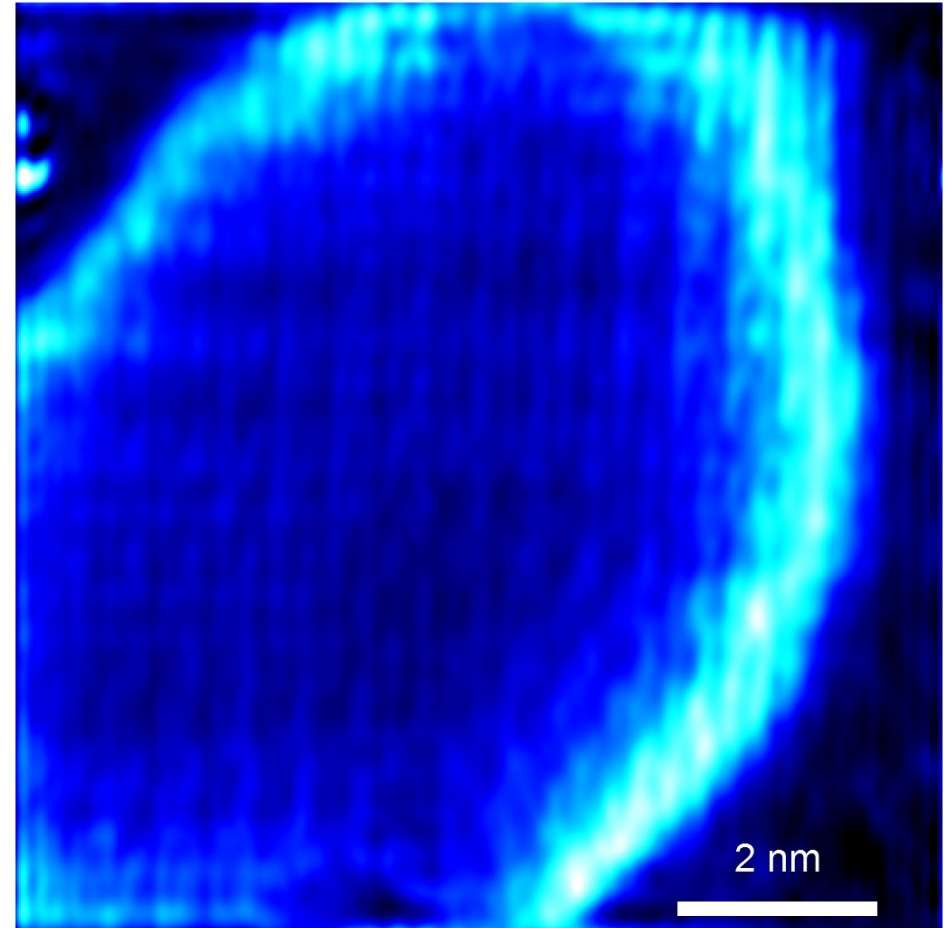
- Controlling carriers
- Controlling  $D/E$  and  $B$
- Mixing&matching 2D materials
- Atomically resolved local studies
- Measure LDOS, probe quantum states



# LDOS a.k.a. $dI/dV$

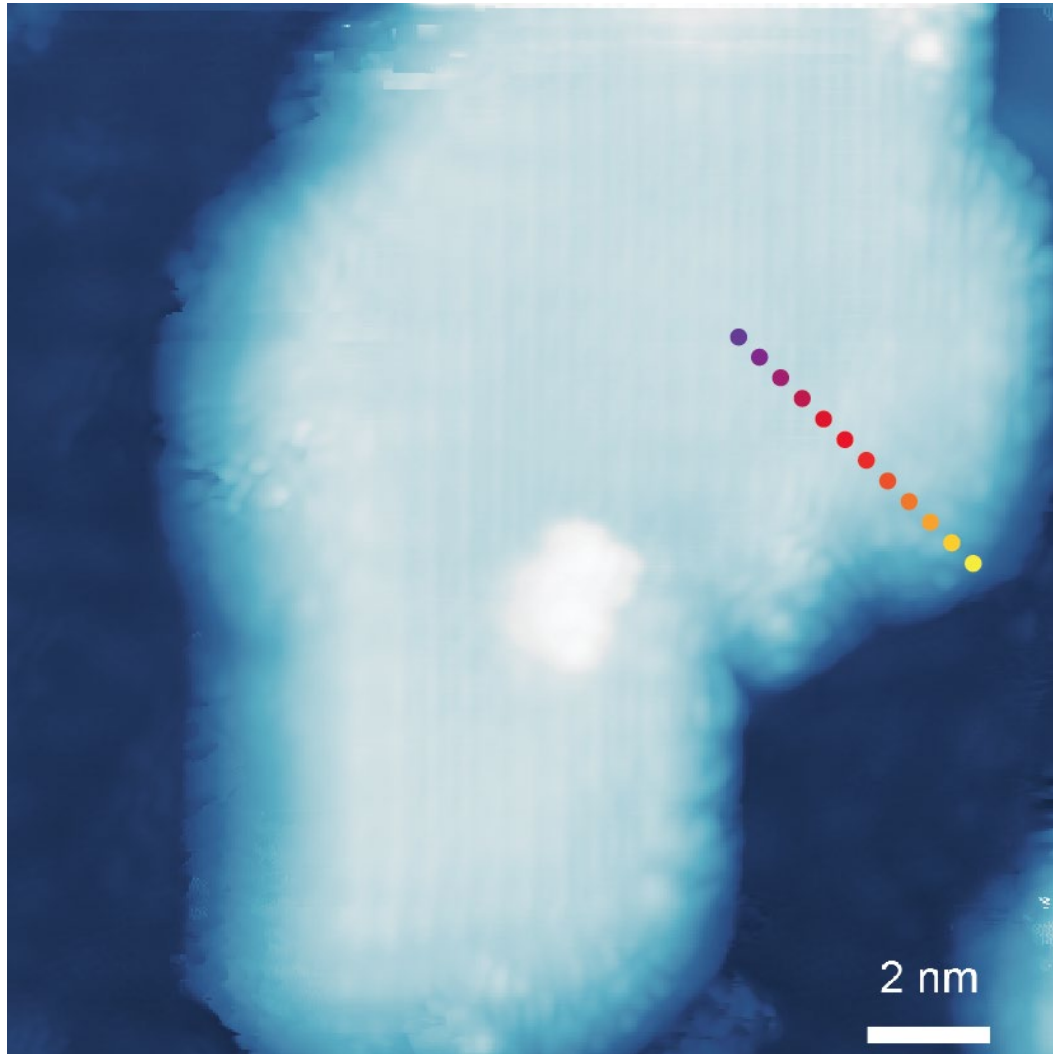


Topographical image of  $WTe_2$

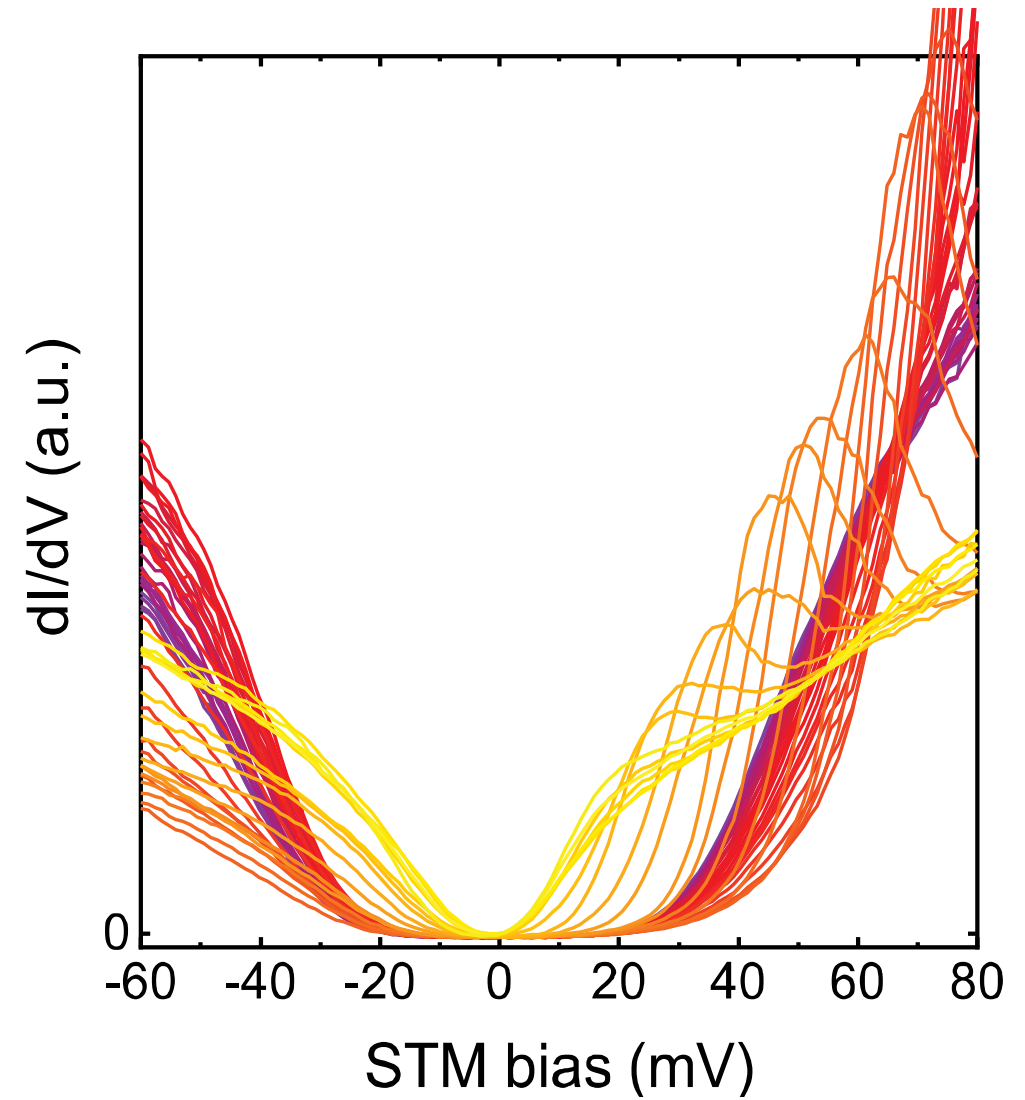


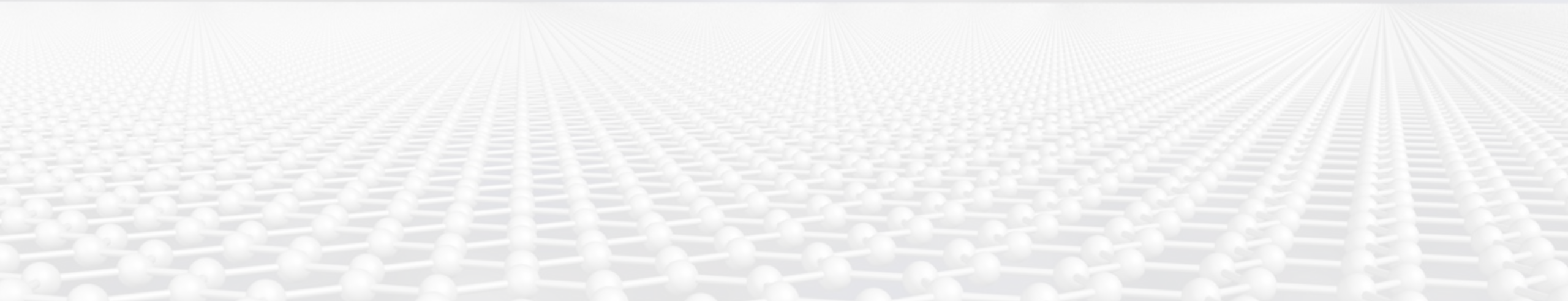
$dI/dV$  image

# LDOS a.k.a. $dI/dV$

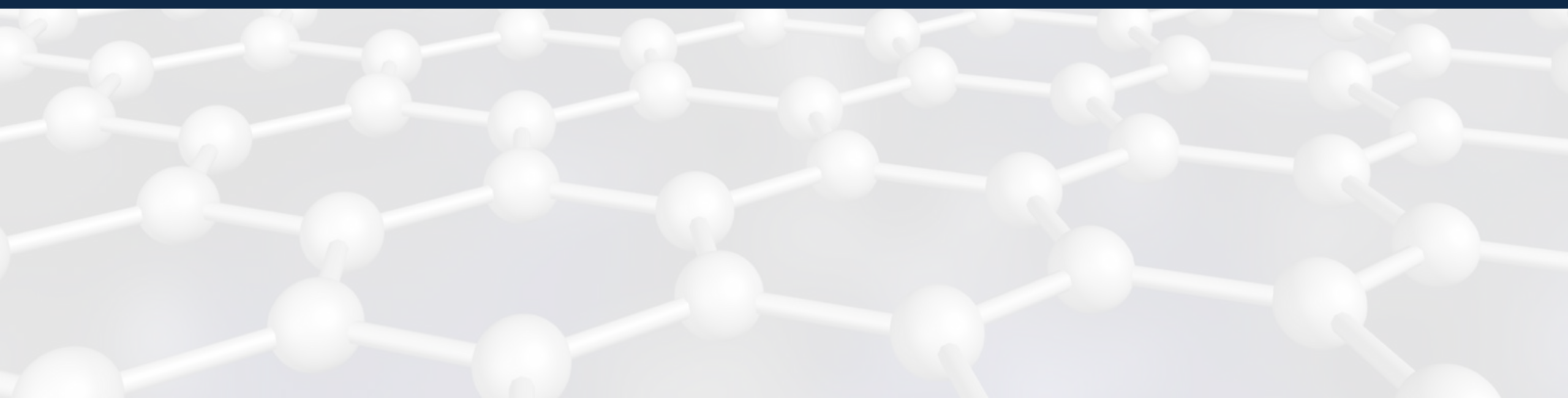


Topographical image of  $WTe_2$

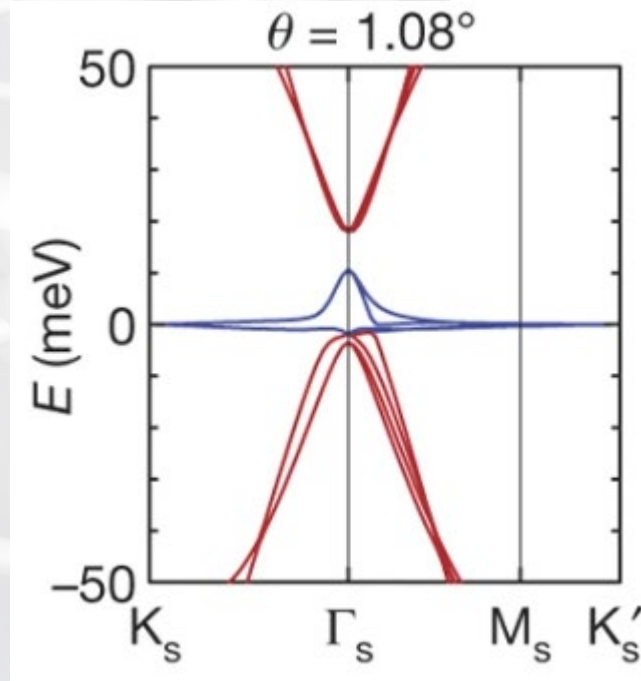
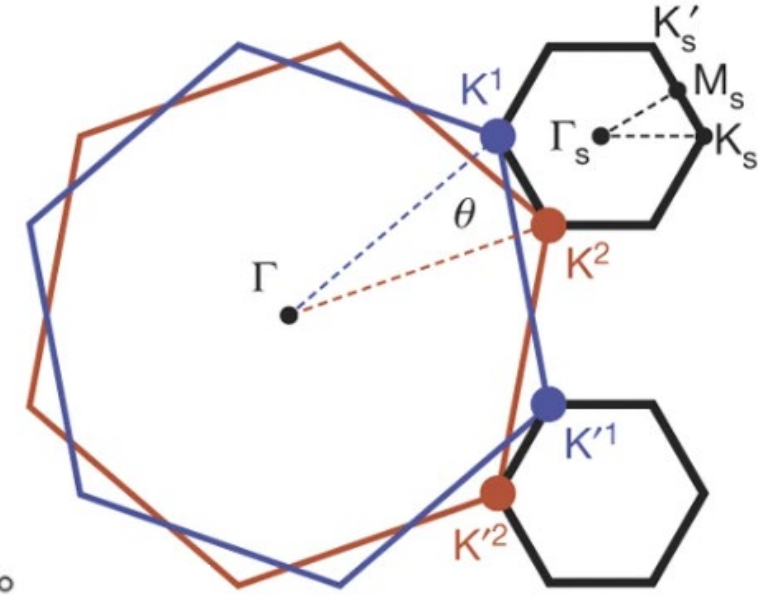
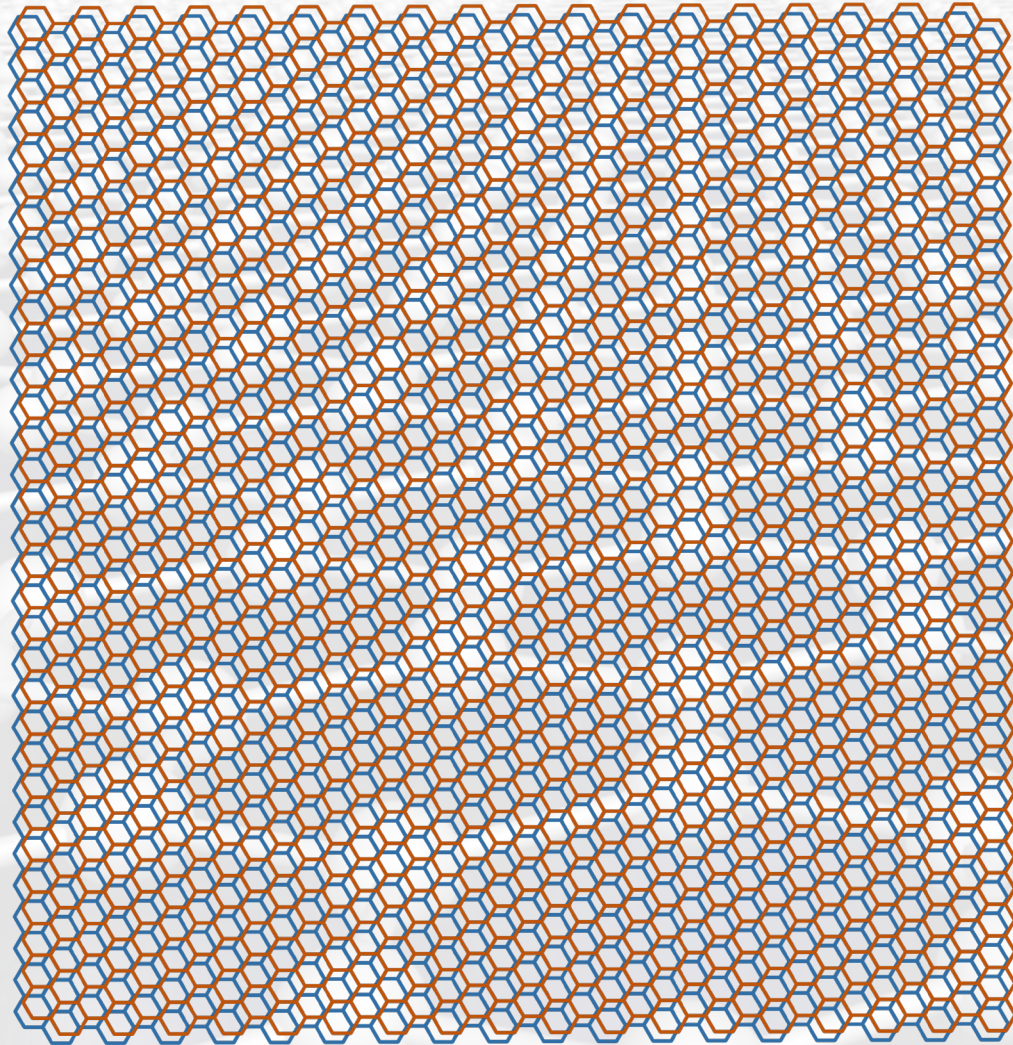




# Twisted (moiré) materials



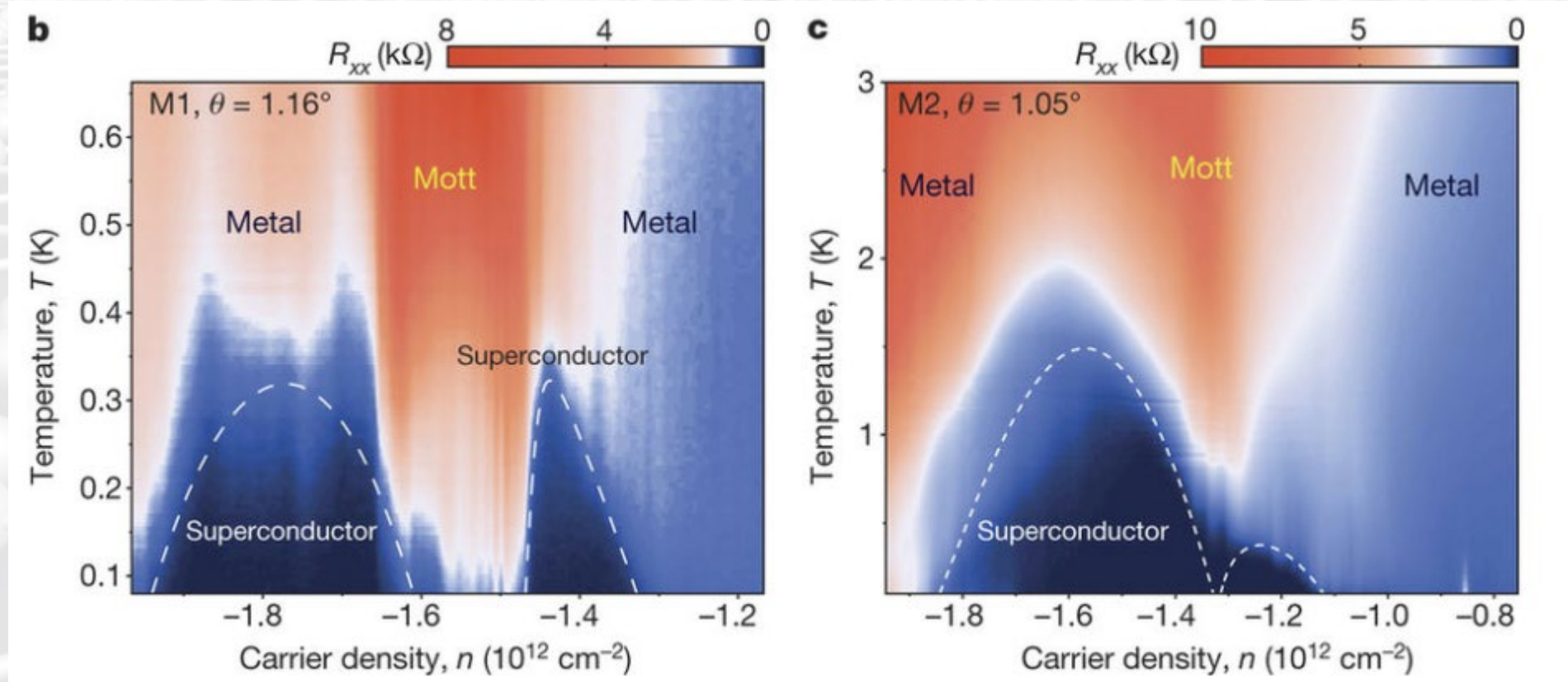
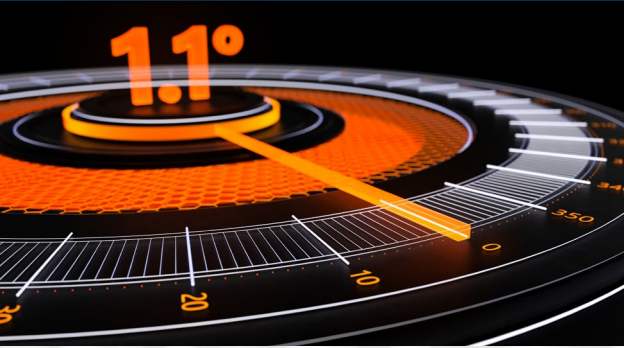
# Flat bands in moiré materials



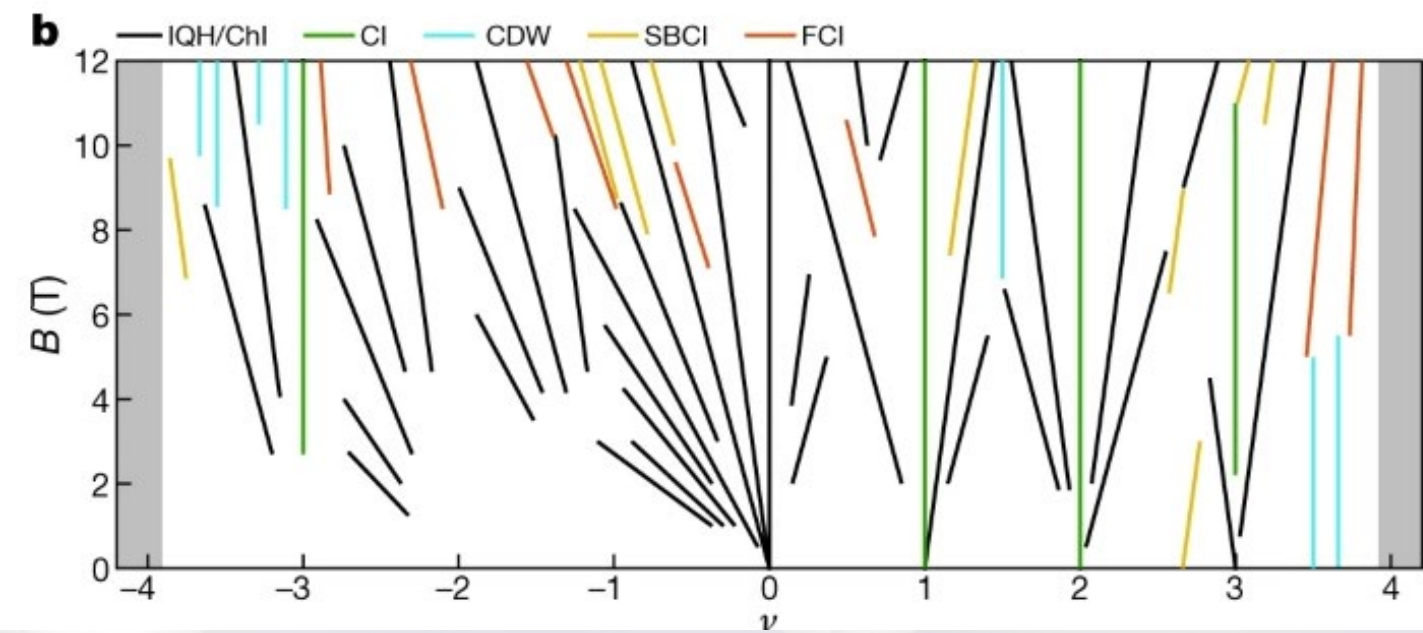
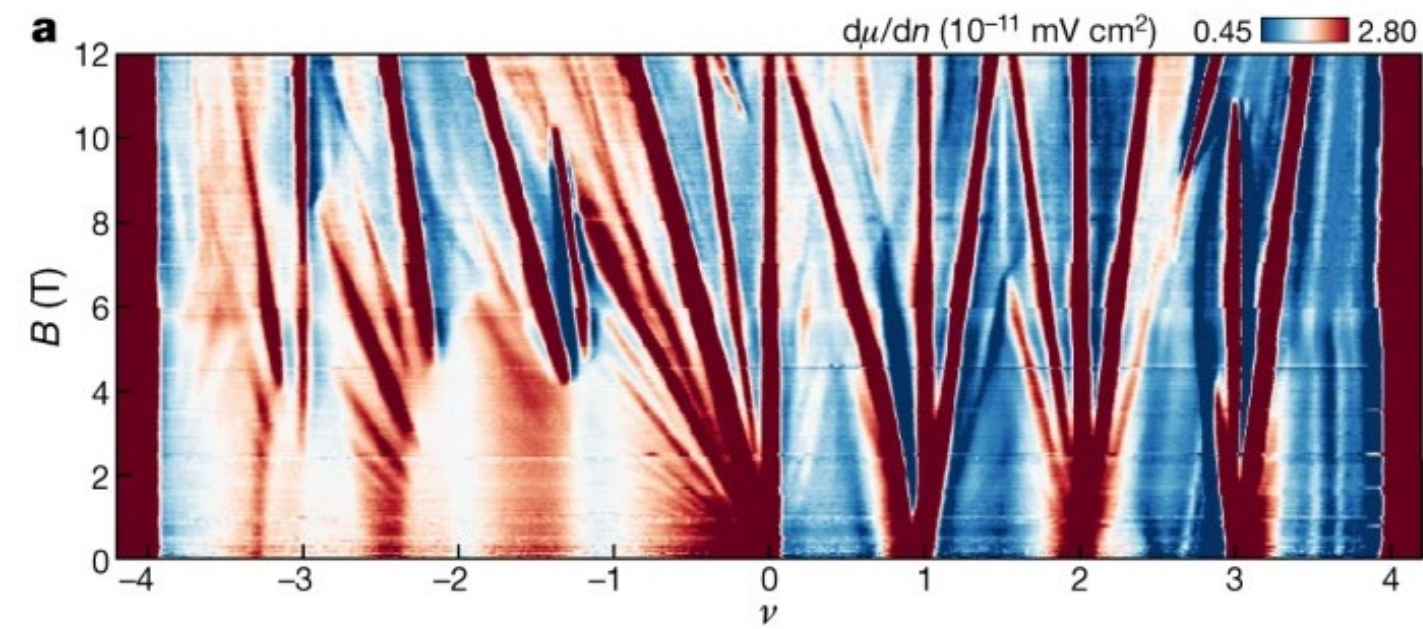
Cao *et al.*, Nature **556**, 80 (2018)

Cao *et al.*, Nature **556**, 43 (2018)

# Magic angle twisted graphene

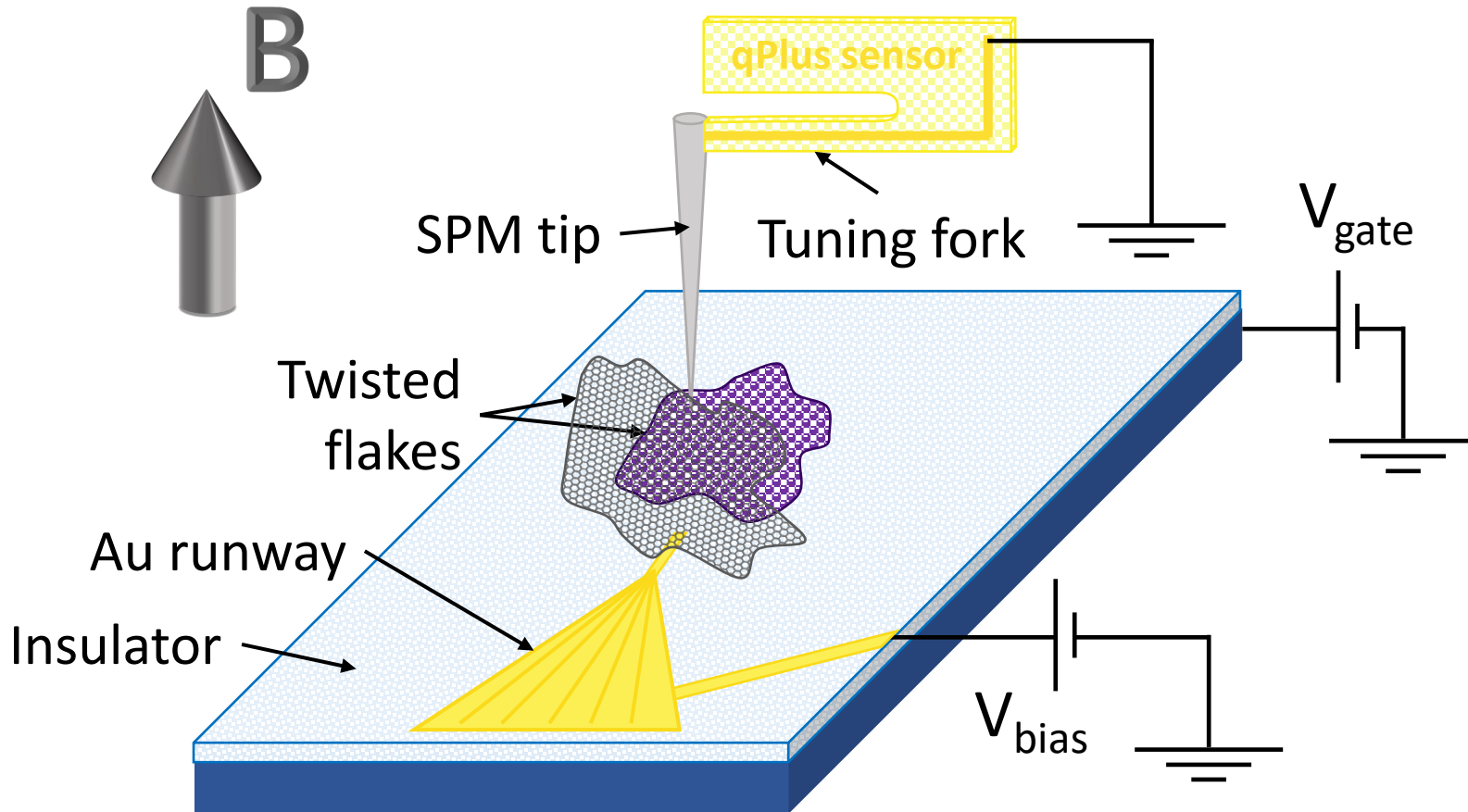


# Quantum phases in twisted layers



- Unconventional superconductivity
- Correlated insulators
- Orbital magnetism and QAH
- Density waves
- Strange metal states
- Fractional Chern insulator

# STM of twisted devices



- Local angle/moiré wavelength
- Local strain
- Local response to tunable parameters



Probing  $B=0$  properties with Landau levels



# Semiclassical theory of magnetic response

- Electrons in a magnetic field

## Bohr-Sommerfeld Quantization

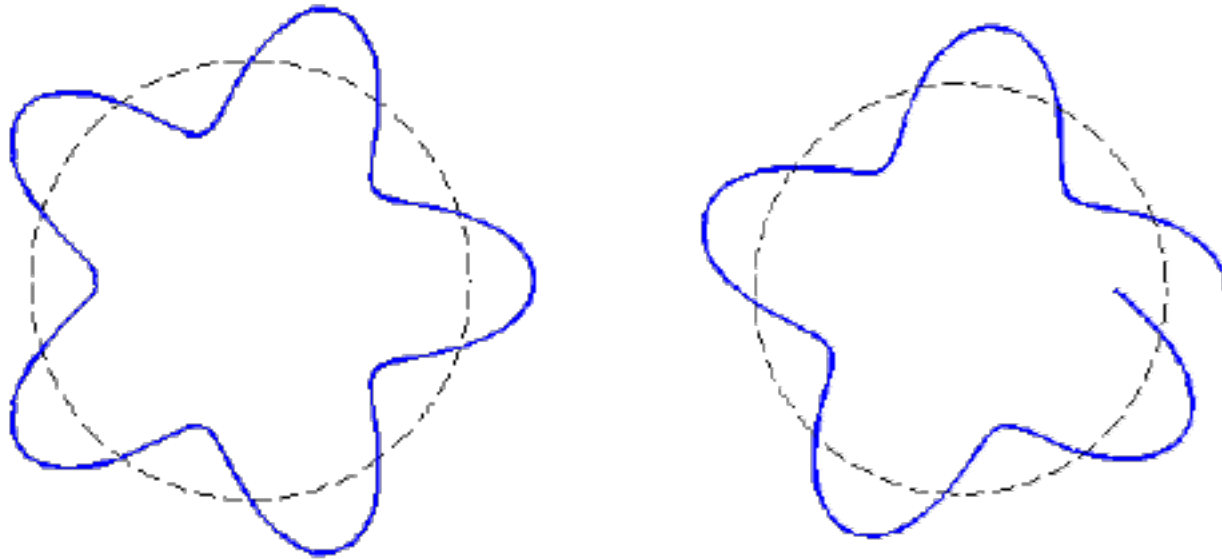
$$\oint (\mathbf{p} - e\mathbf{A}) \cdot d\mathbf{l} = 2\pi\hbar(n + 1/2)$$

## Onsager Relation

$$S(E_n)/4\pi^2 = \frac{B_n}{\varphi_0} \left( n + \frac{1}{2} \right)$$

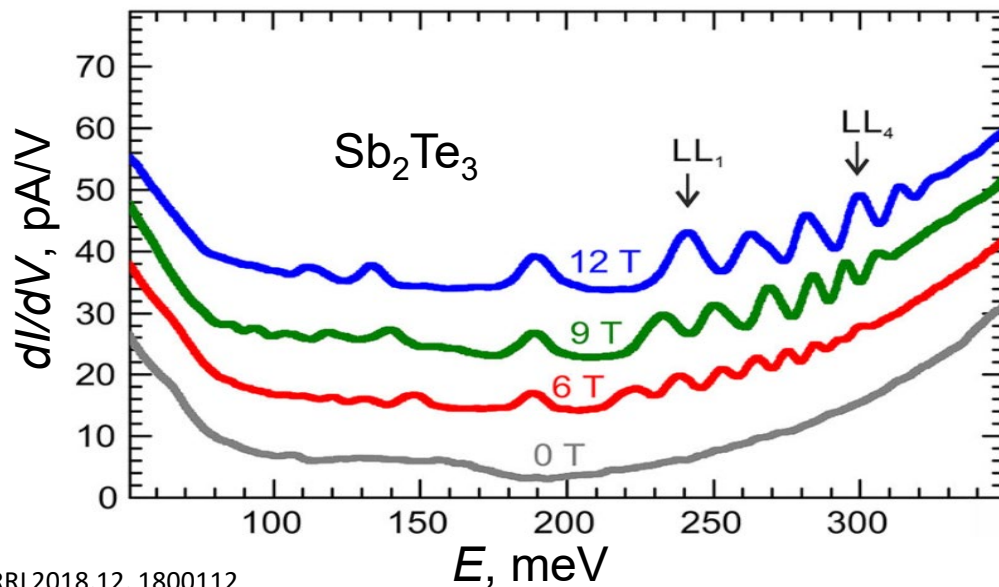
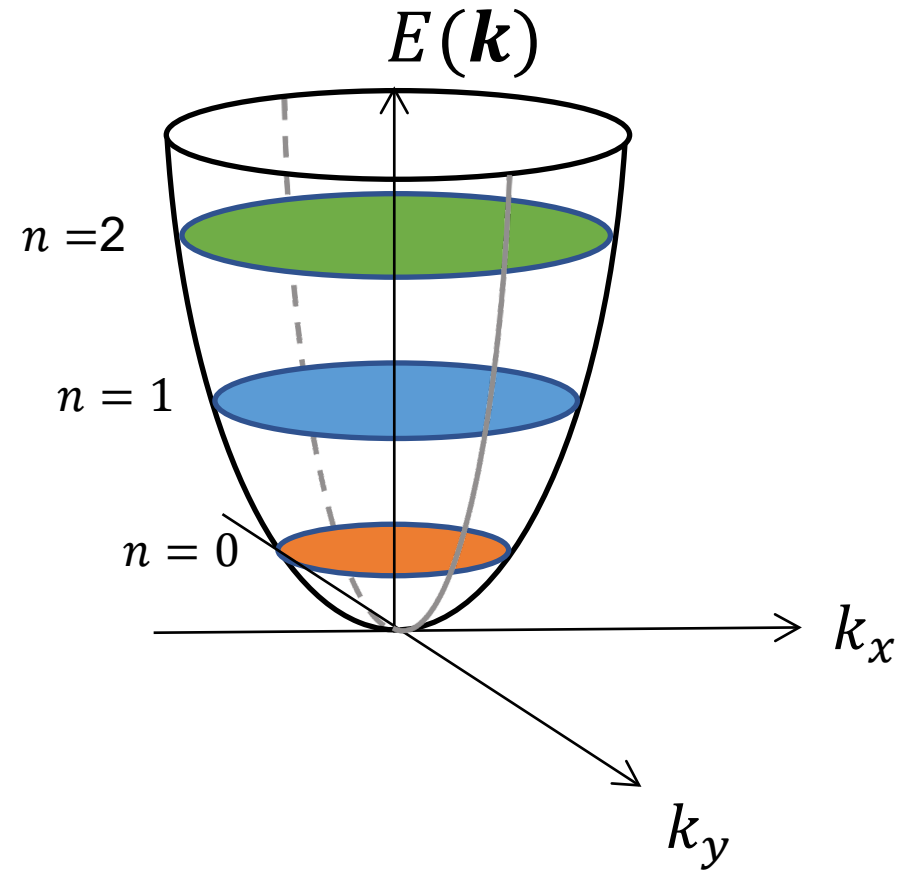
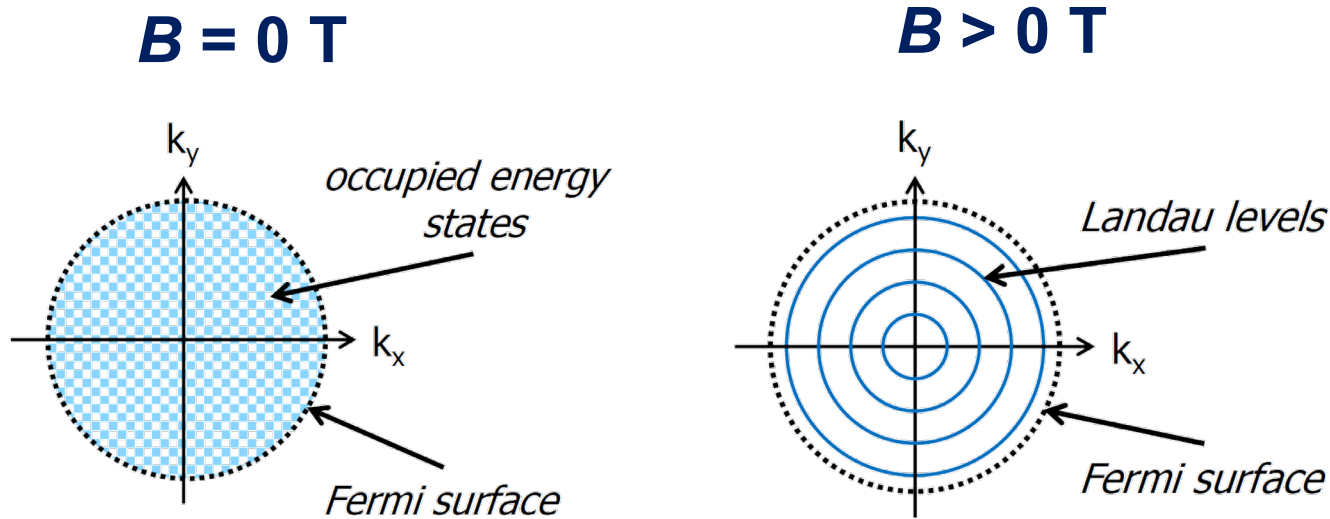
## Integrated density of states

$$N(E_n) = S(E_n)/4\pi^2$$



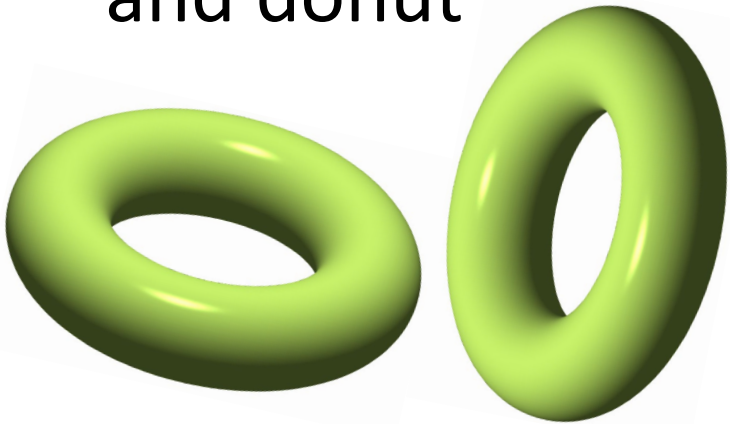
Real space orbits enclose an integer multiple of  $\varphi_0$

# Landau quantization as a probe of $E(k)$



# Topology

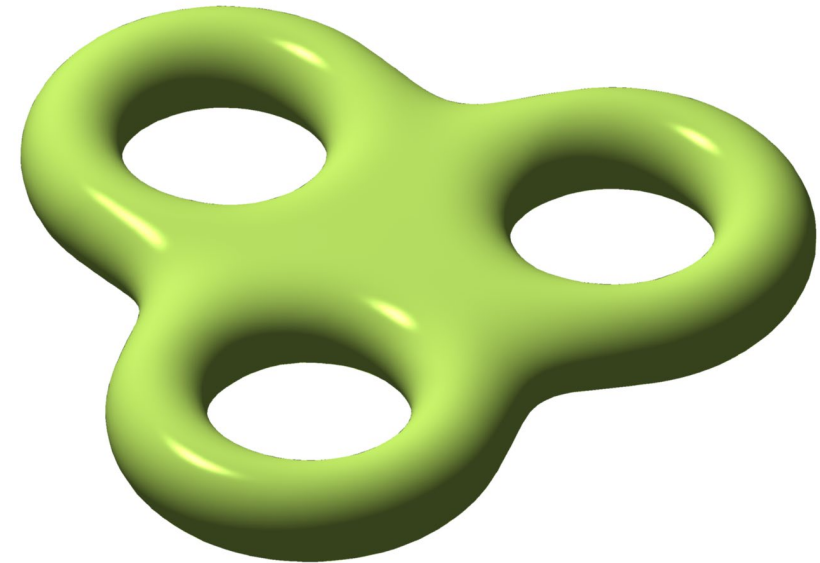
Cup of coffee  
and donut



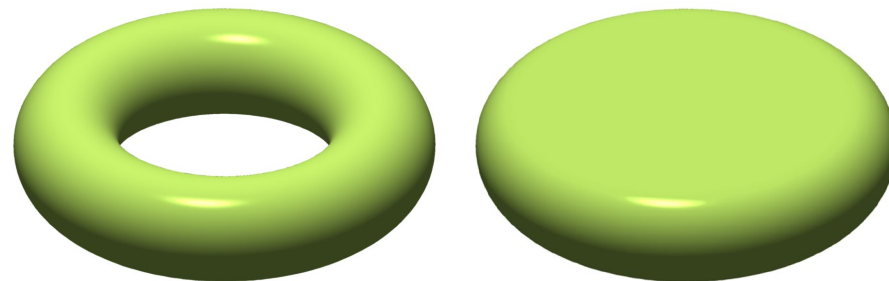
Pants



T-shirt



Socks



**Morning of a topologist**

# Quantum geometry and magnetism

Berry curvature

$$\Omega(\mathbf{k})$$

Magnetic field

$$B(\mathbf{r})$$

Berry connection  $\left\langle \psi \left| i \frac{\partial}{\partial \mathbf{k}} \right| \psi \right\rangle$

Vector potential  $A(\mathbf{r})$

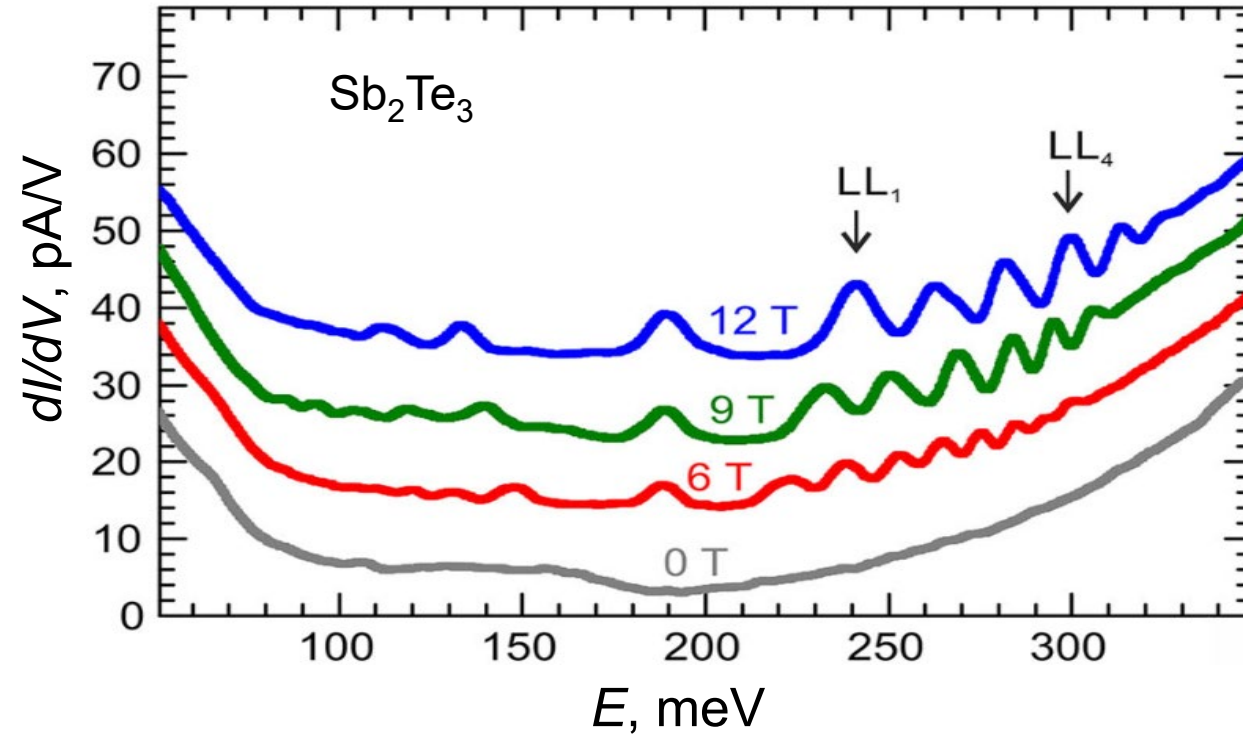
Geometric phase  $\oint d\mathbf{k} \left\langle \psi \left| i \frac{\partial}{\partial \mathbf{k}} \right| \psi \right\rangle$

AB phase

$$\oint d\mathbf{r} A(\mathbf{r})$$

# Q. geometry contribution to magnetic response

$$B_n \left( n + \frac{1}{2} \right) \frac{2\pi e}{\hbar} = S(E_n) + 4\pi^2 m'(E_n) B_n + 2\pi^2 \chi'(E_n) B_n^2 + \dots$$

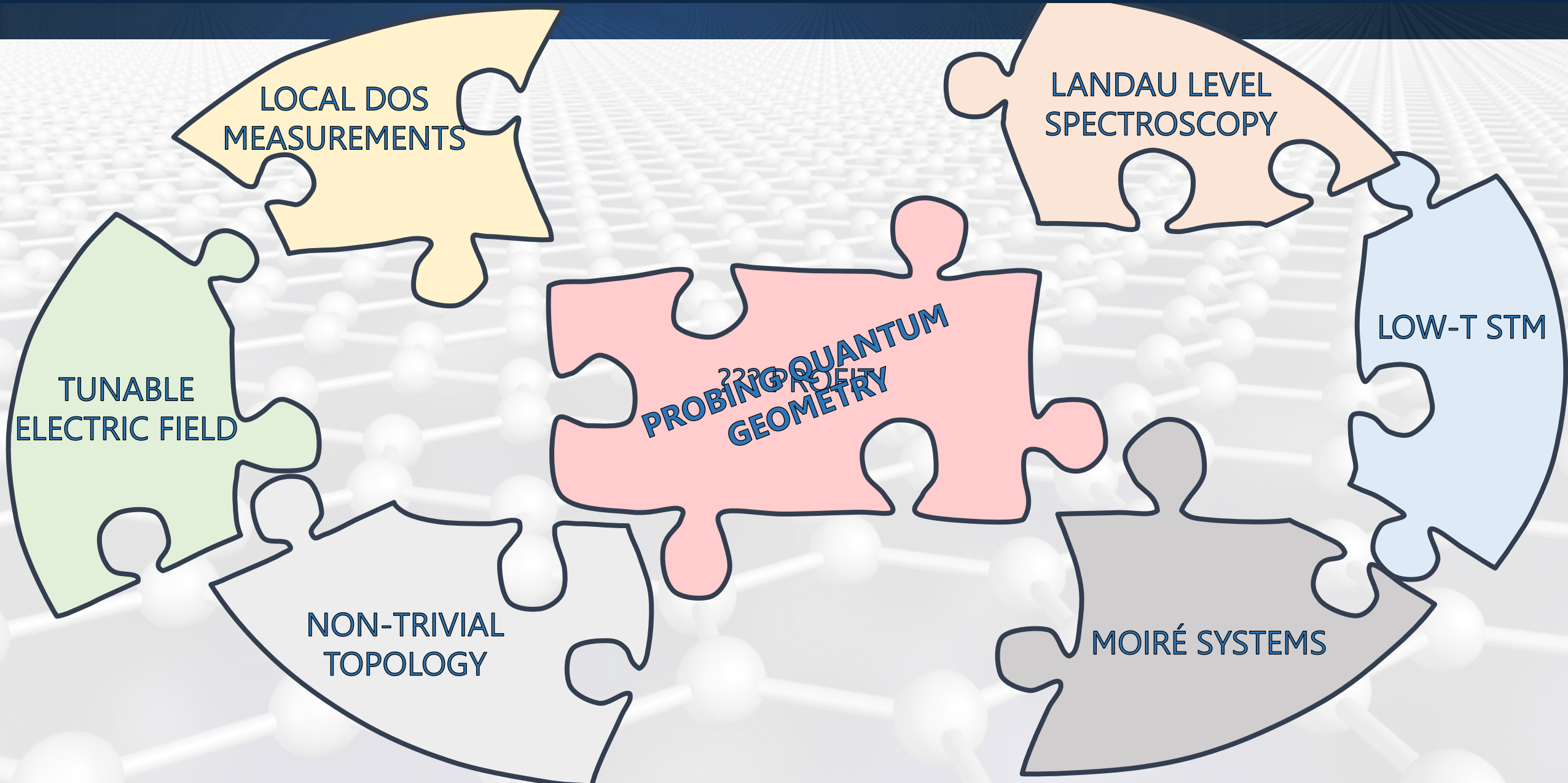


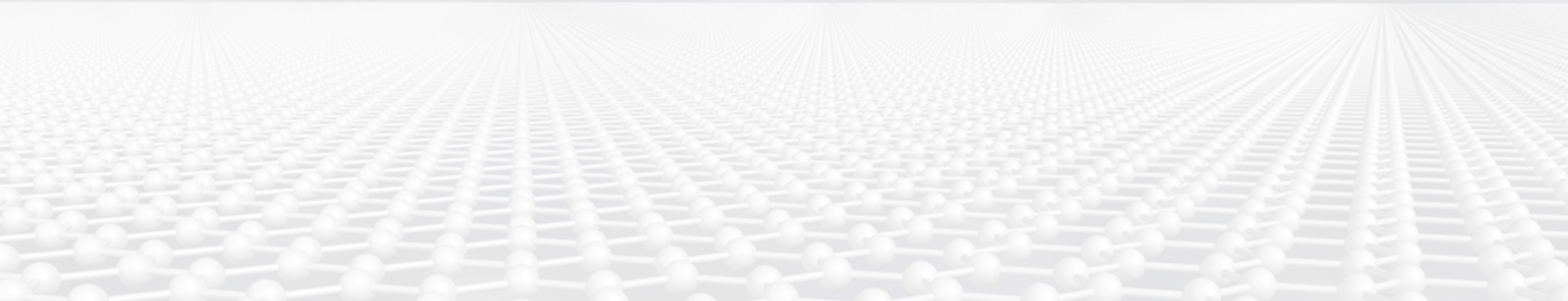
First order:  
orbital magnetic  
moment

Second order:  
orbital magnetic  
susceptibility

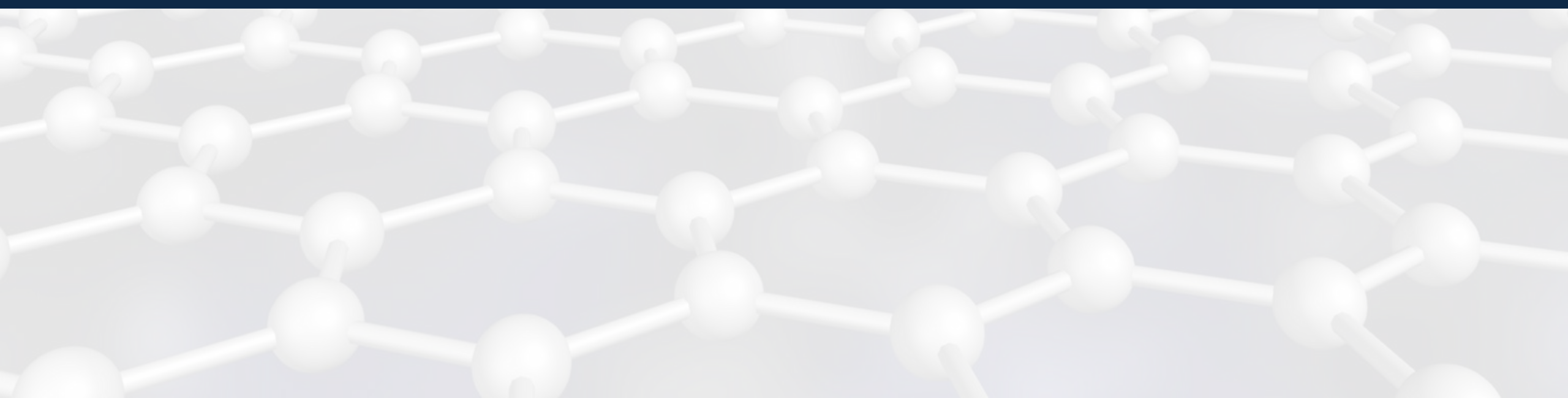
Geometry dependent terms

# All pieces come together

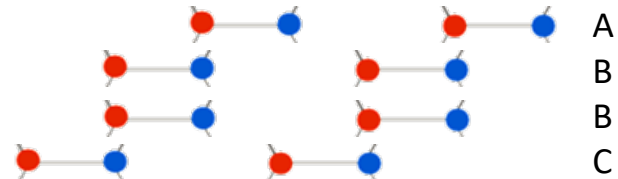
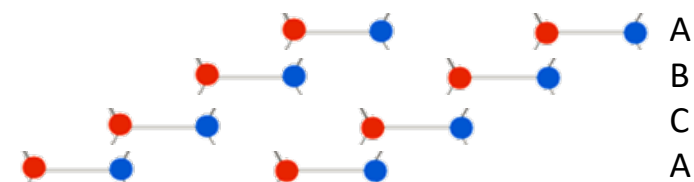
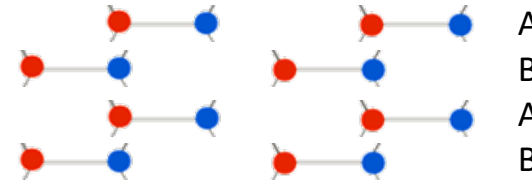
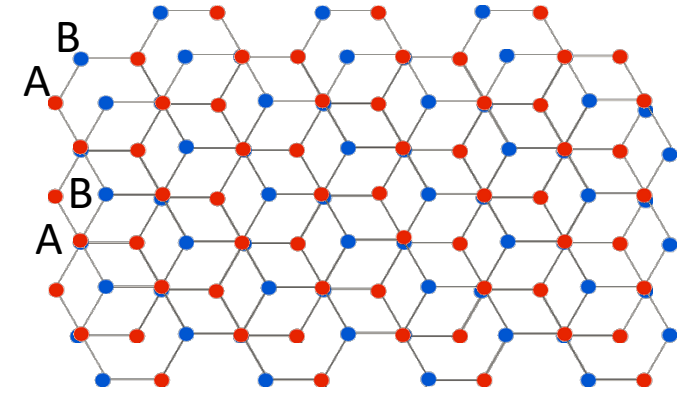
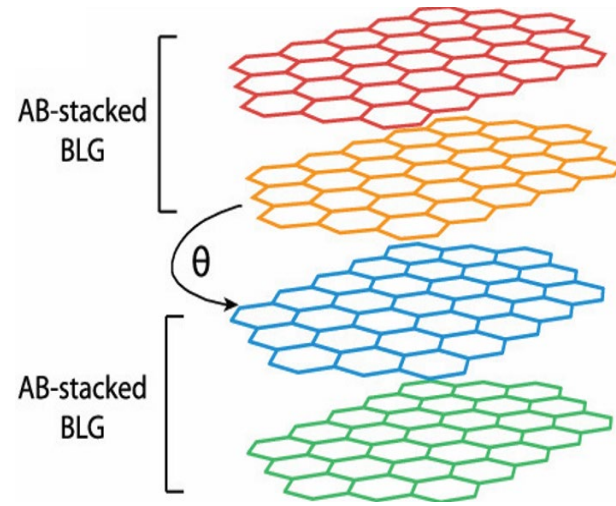
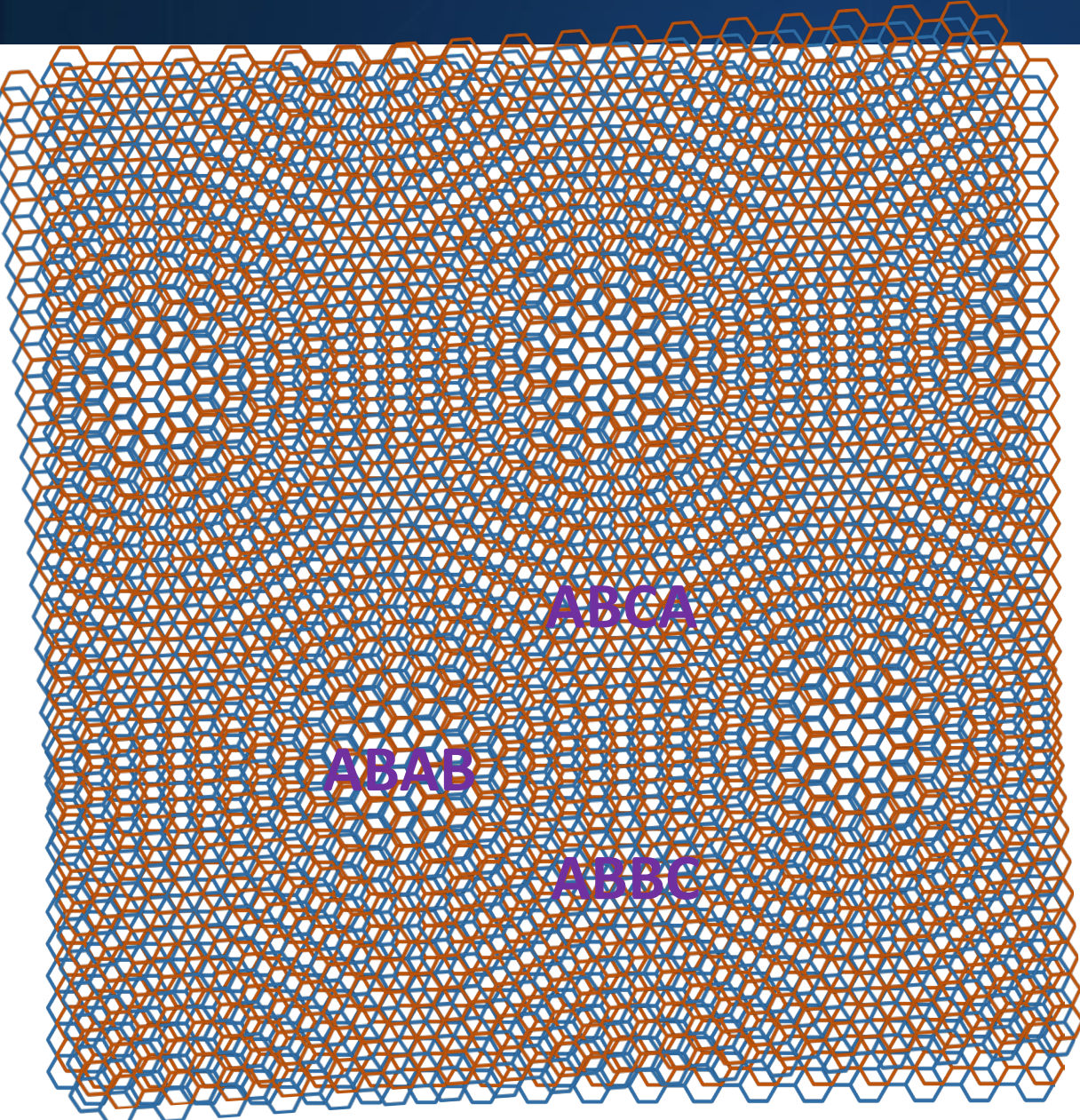




# Twisted double bilayer graphene

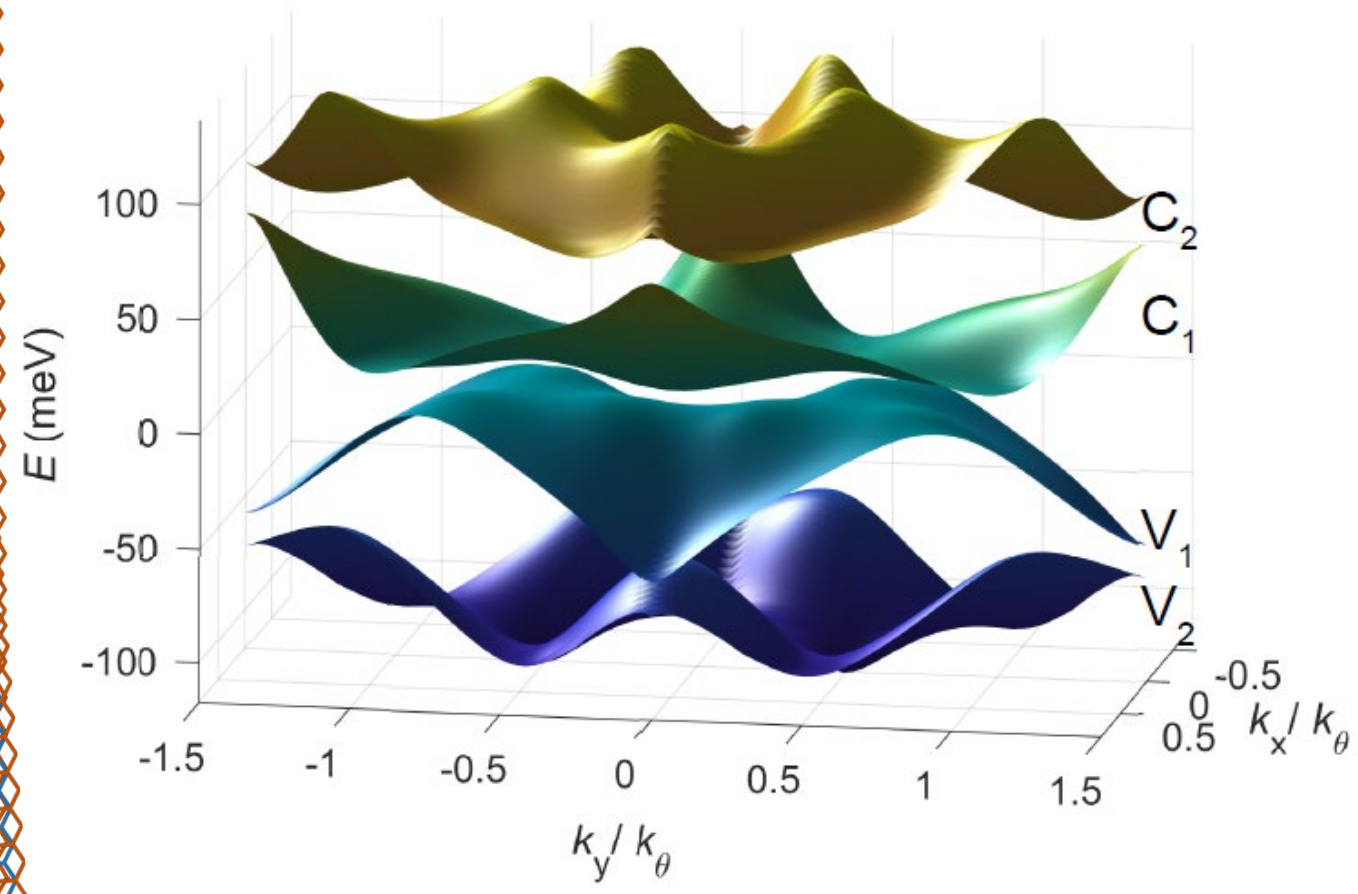
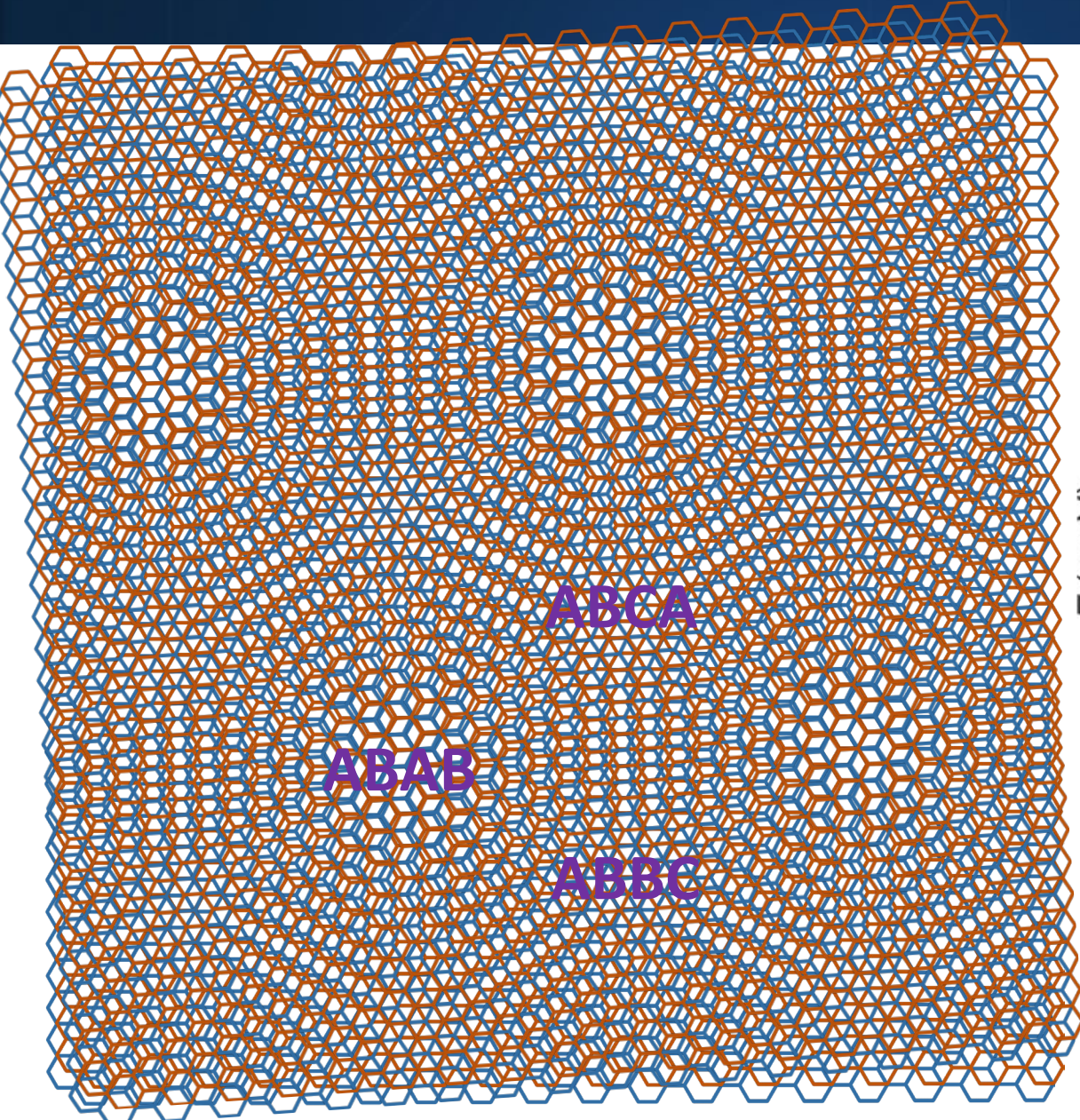


# Twisted double bilayer graphene





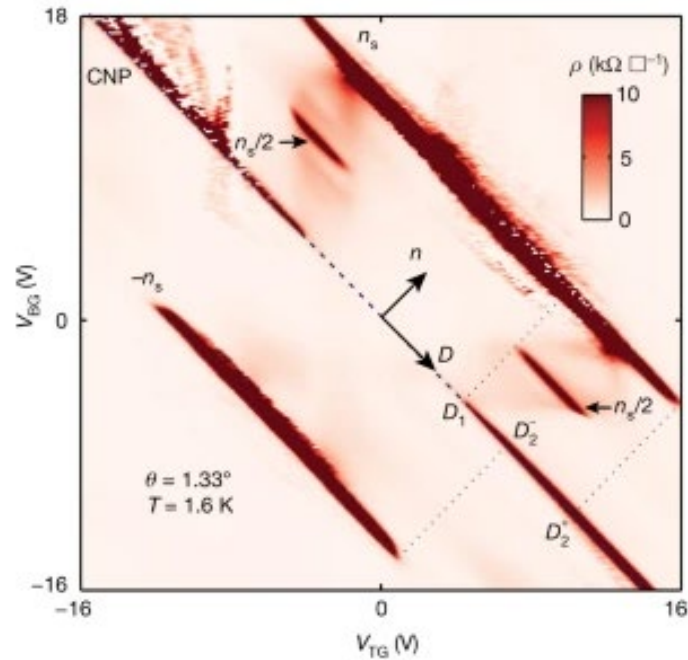
# Electrostatically tunable bands



# Tuning the twist angle

$\theta \approx 0.8^\circ \dots 1.4^\circ$

Gate-tuned correlated insulator



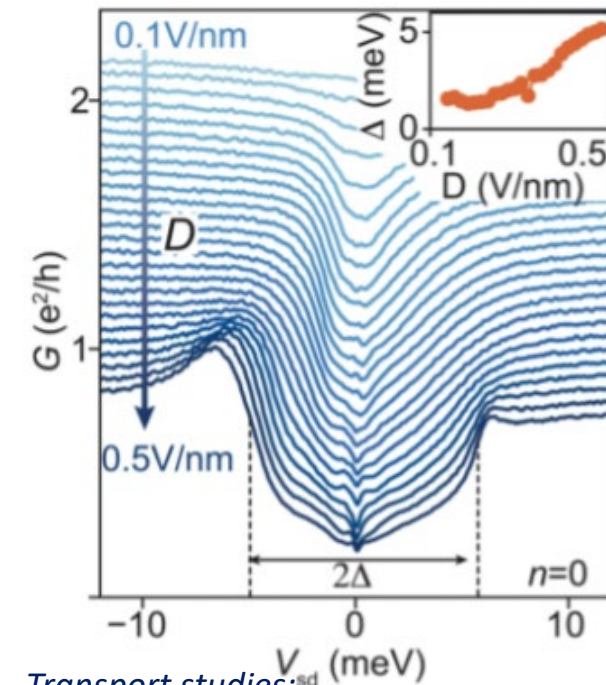
Our angle:

$\theta = 1.75^\circ$

Very rich system!

$\theta \approx 2.37^\circ$

Gate-tuned density-wave state



Transport studies:

- Shen *et al.*, Nat. Phys. **16**, 520 (2020)
- Burg *et al.*, Phys. Rev. Lett. **123**, 197702 (2019)
- Liu *et al.*, Nature **583**, 221 (2020)
- Cao *et al.*, Nature **583**, 215 (2020)
- He *et al.*, Nat. Phys. **17**, 26 (2021)

Transport studies:

- Rickhaus *et al.*, Science **373**, 1257 (2021)
- De Vries *et al.*, Phys. Rev. Lett. **125**, 176801 (2020)
- STM:
- Liu *et al.*, Nat. Commun. **12**, 2732 (2021)
- Zhang *et al.*, Nat. Commun. **12**, 2516 (2021)
- Rubio-Verdú *et al.*, Nat. Phys. **18**, 196 (2022)

# Ultra-low temperature scanning tunneling microscope

NIST

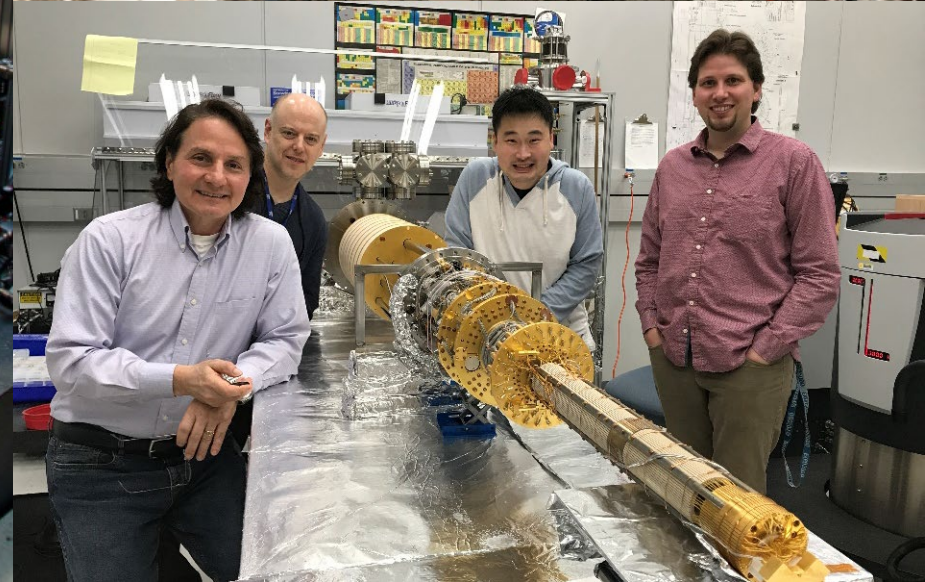
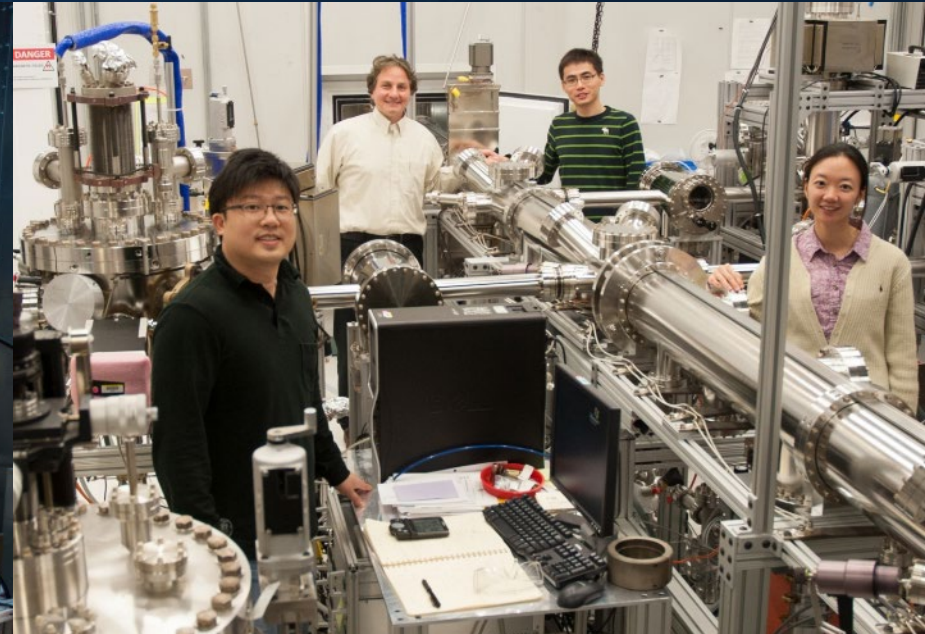
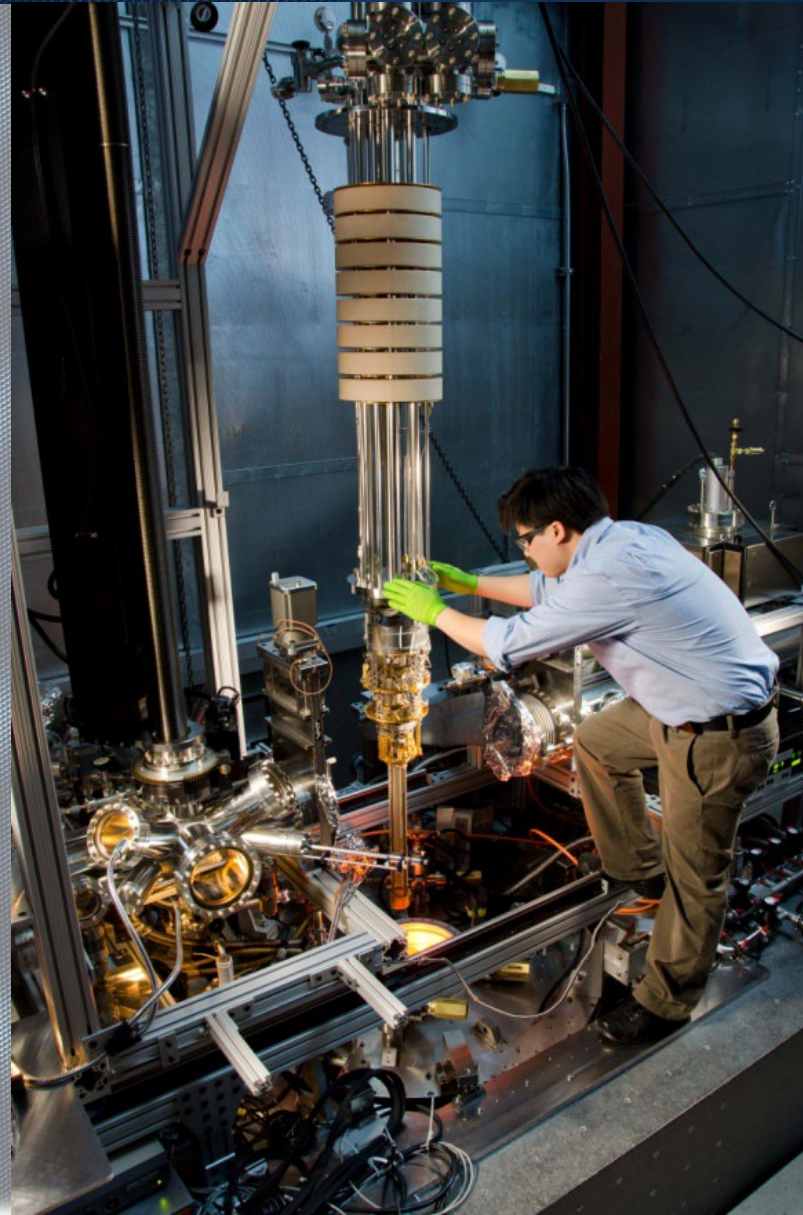
- Combined STM/AFM/Transport

$$T = 10 \text{ mK}$$

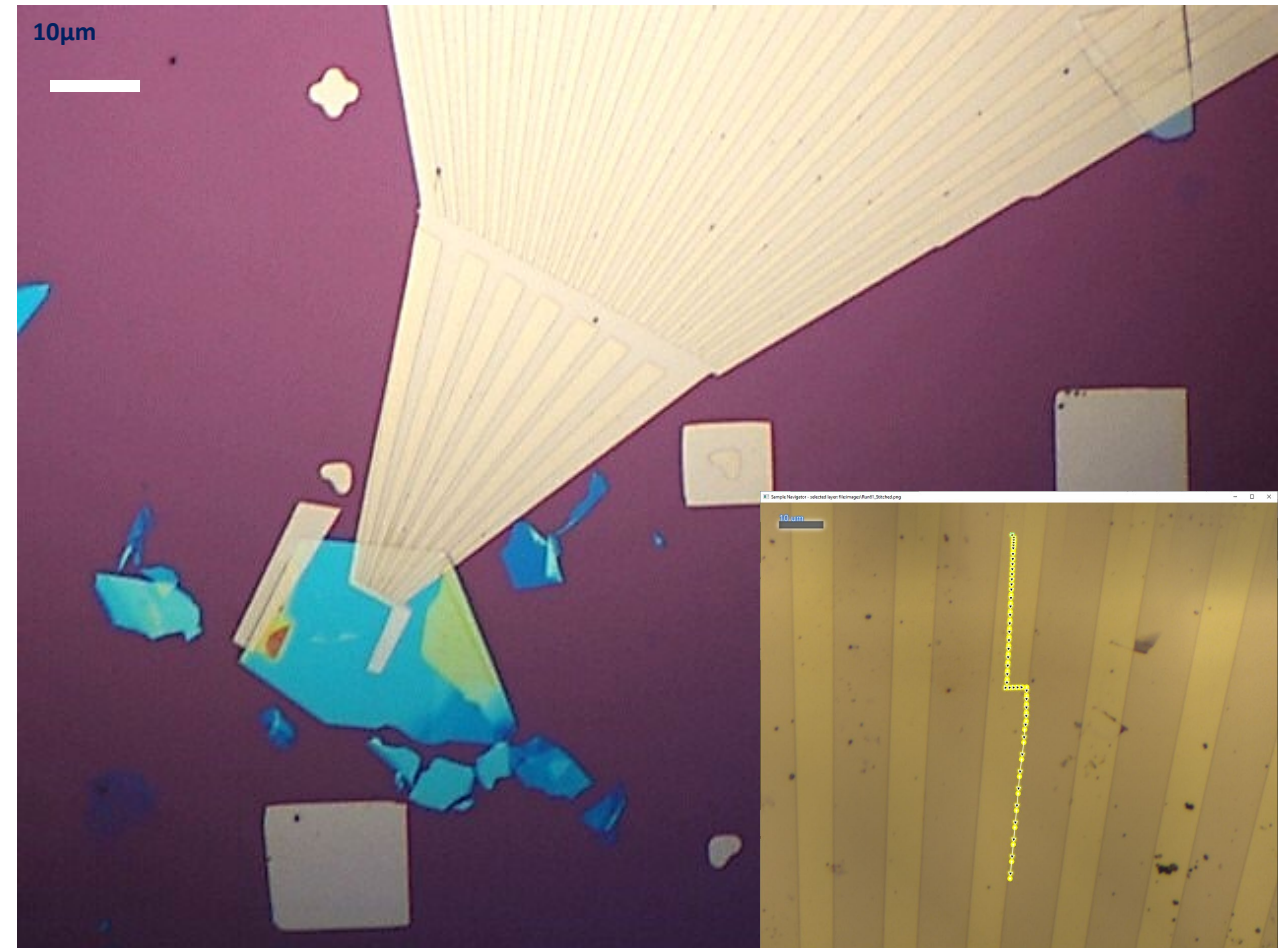
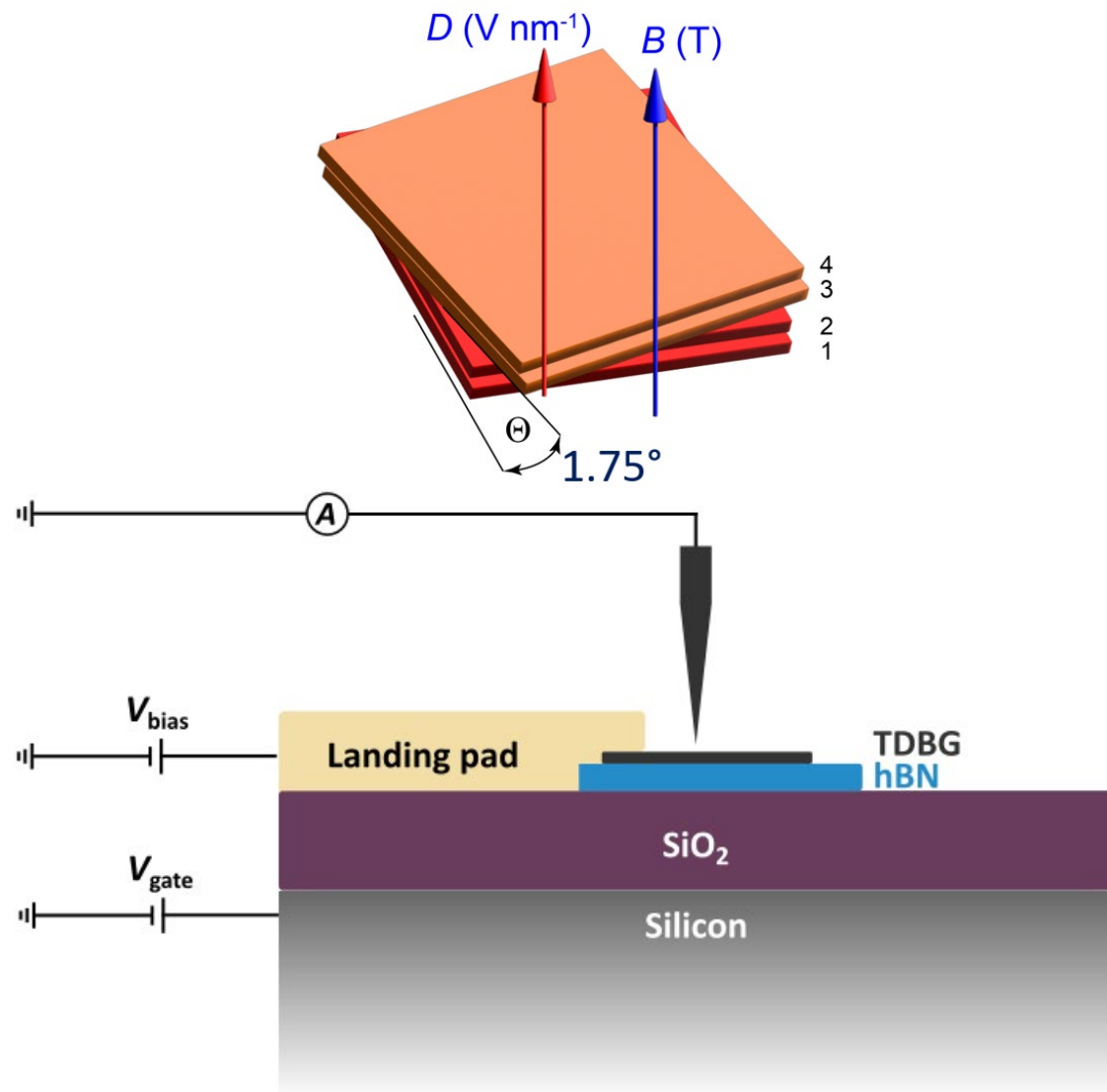
$$B_{\perp} = 15 \text{ T}$$

$$\Delta E < 8 \text{ } \mu\text{eV}$$

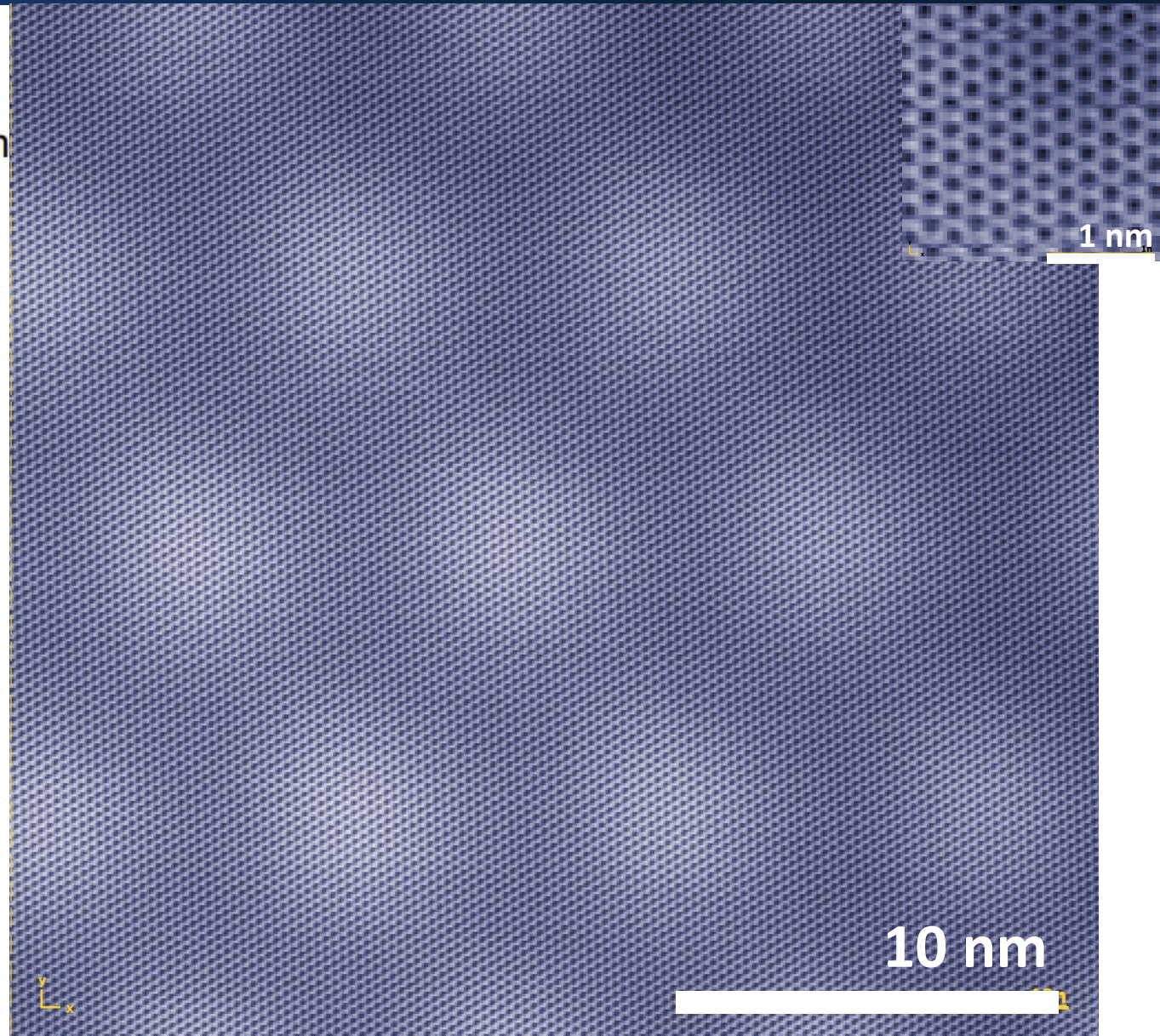
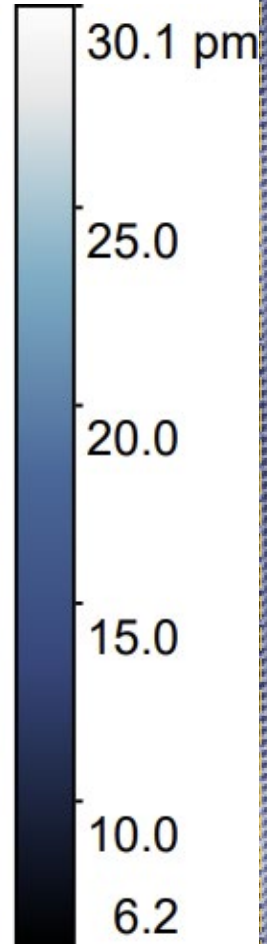
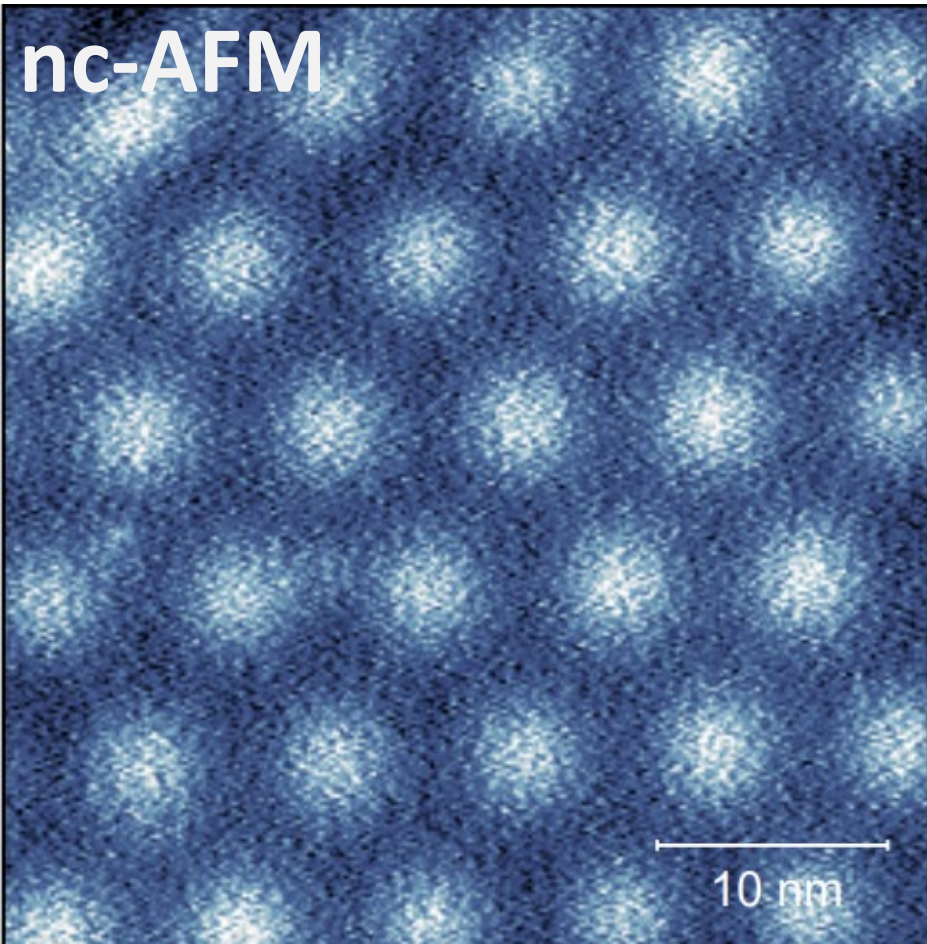
Schwenk *et al.*, Review of Scientific Instruments 91, 071101 (2020)



# TDBG at $1.75^\circ$ probed locally



# STM imaging of TDBG moiré



# Applying a displacement field

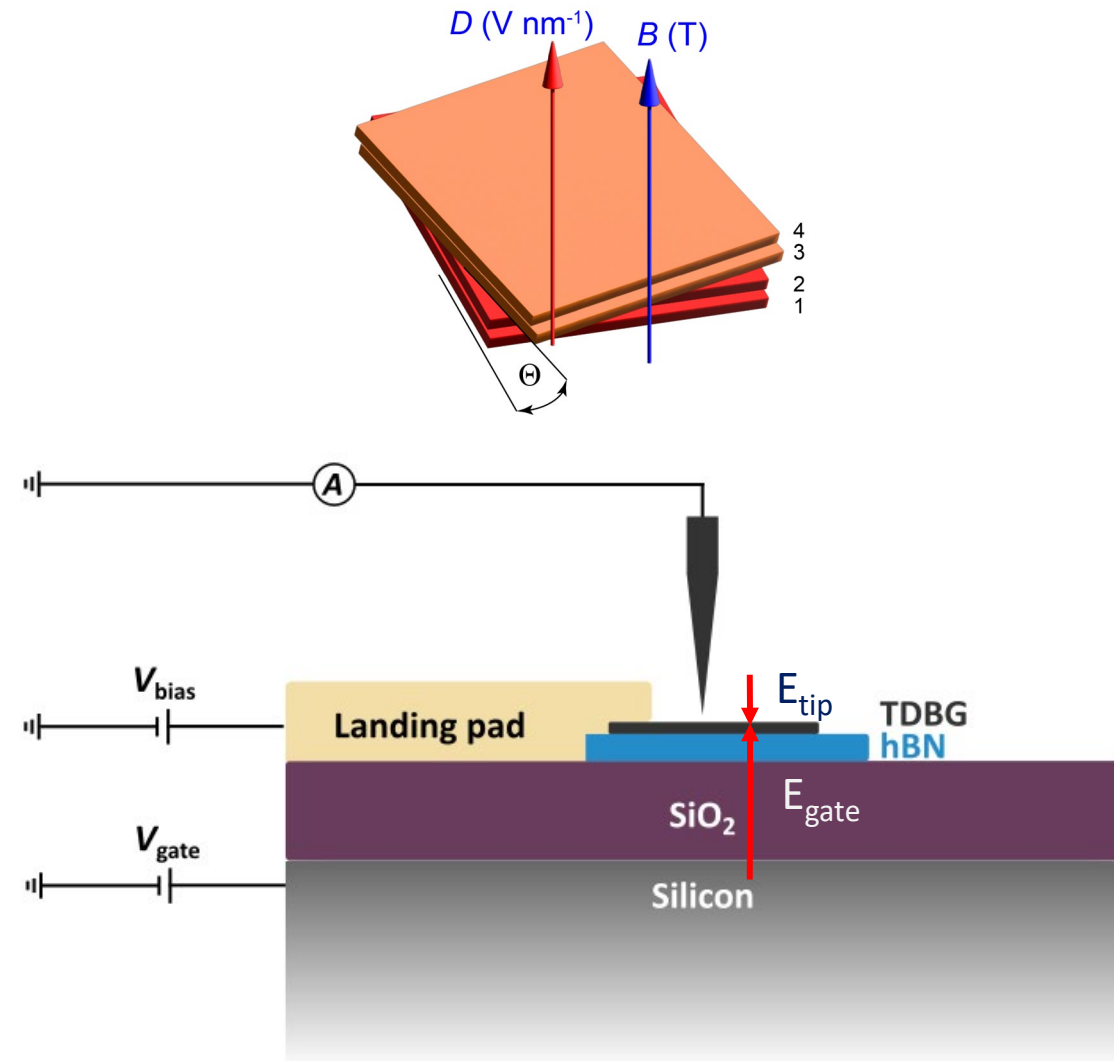
STM:

Carrier density:

$$n \sim C_g V_g + C_t V_t$$

Displacement field

$$D \sim C_g V_g - C_t V_t$$

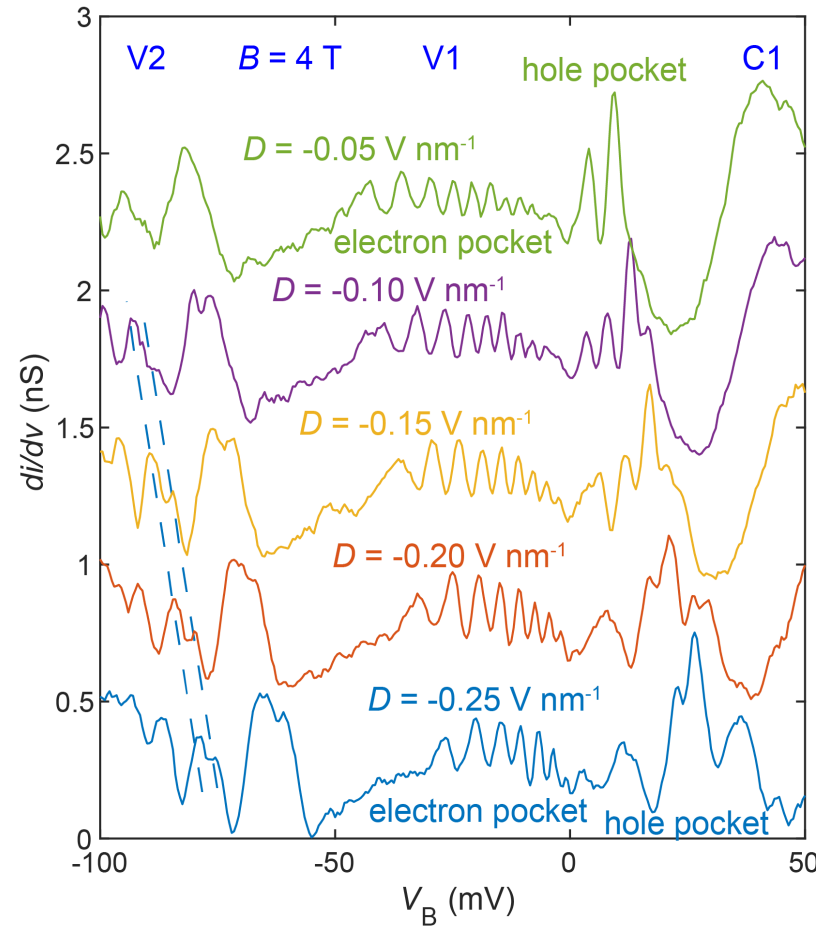
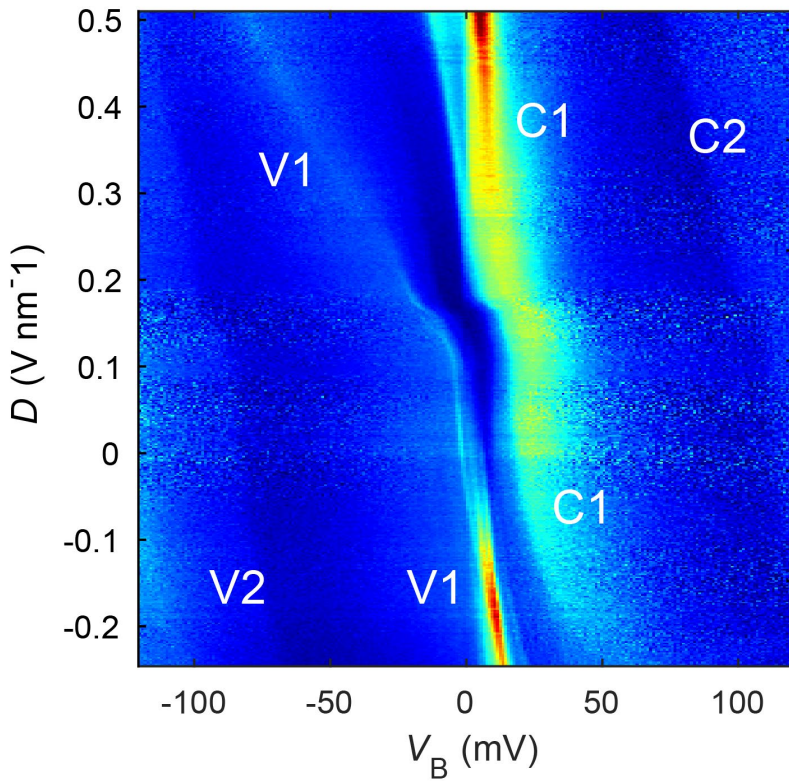


$V_t$  obtained from AFM CPD measurements

# STM "gate maps"

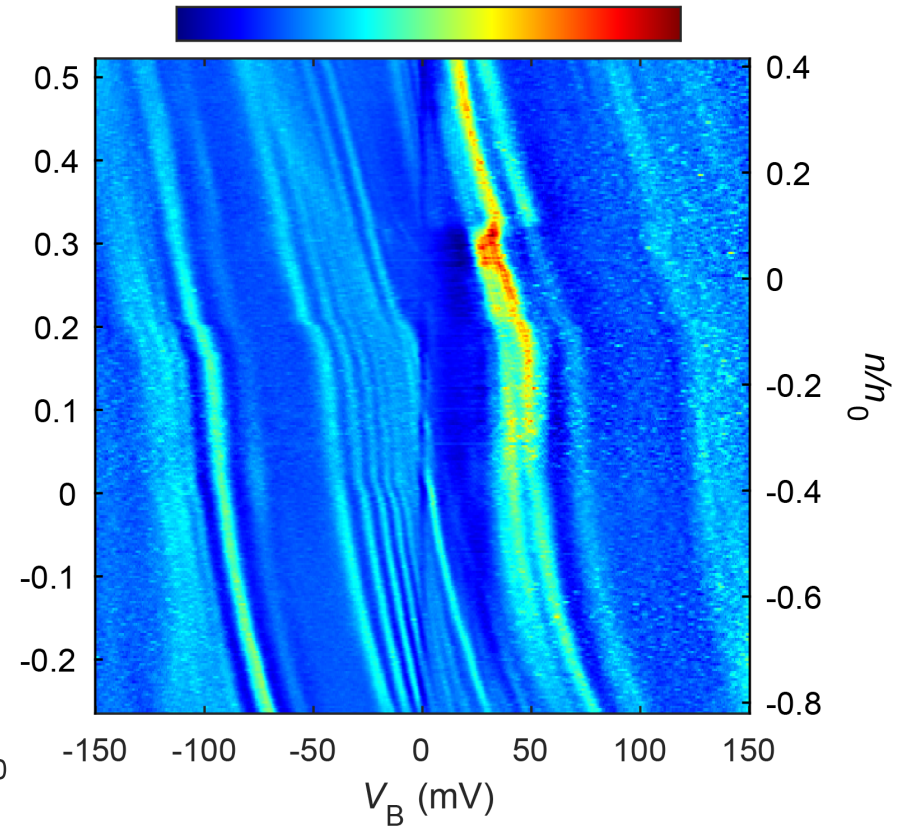
$B = 0 \text{ T}$

Experimental

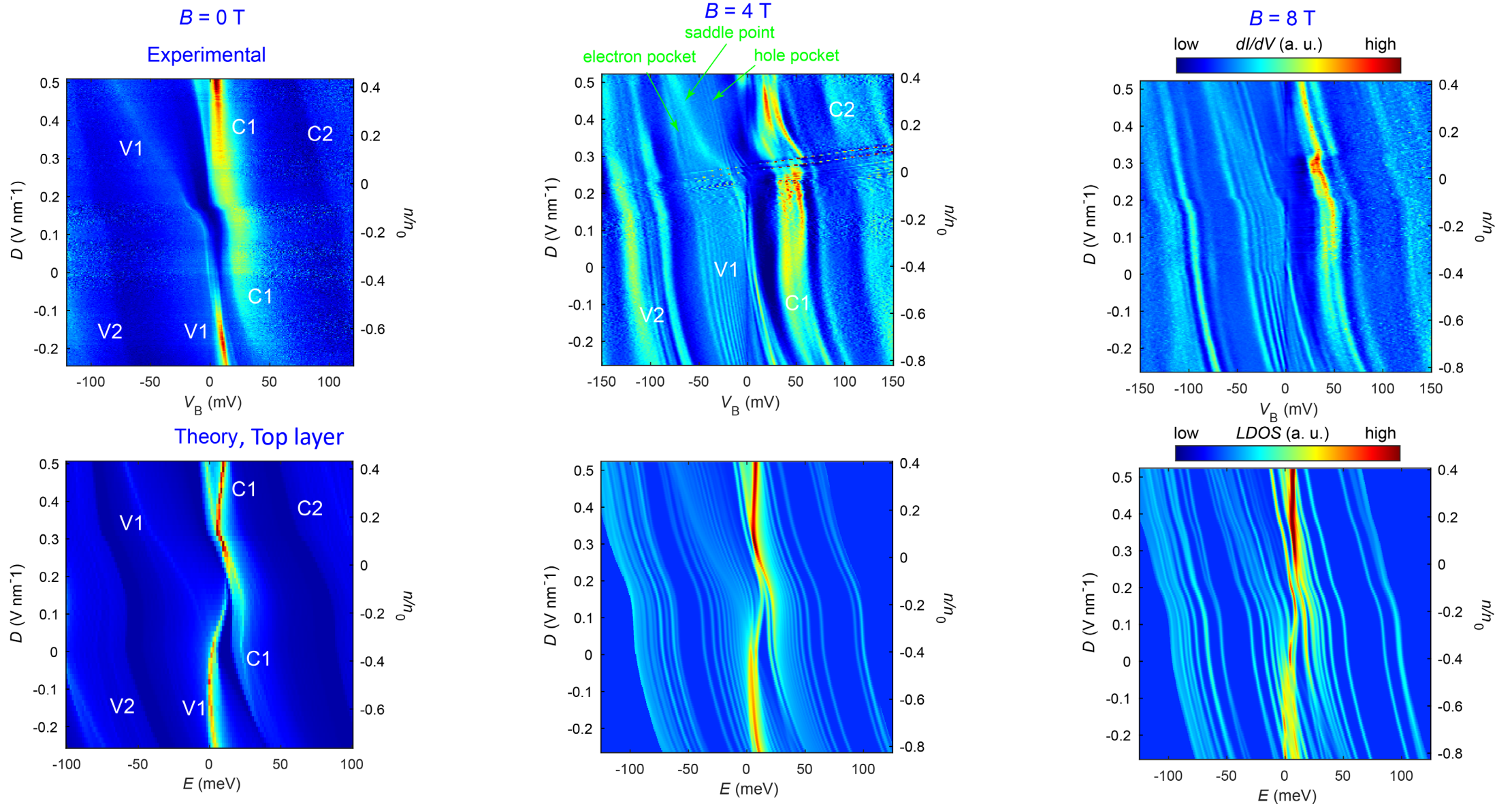


$B = 8 \text{ T}$

low  $dI/dV$  (a. u.) high



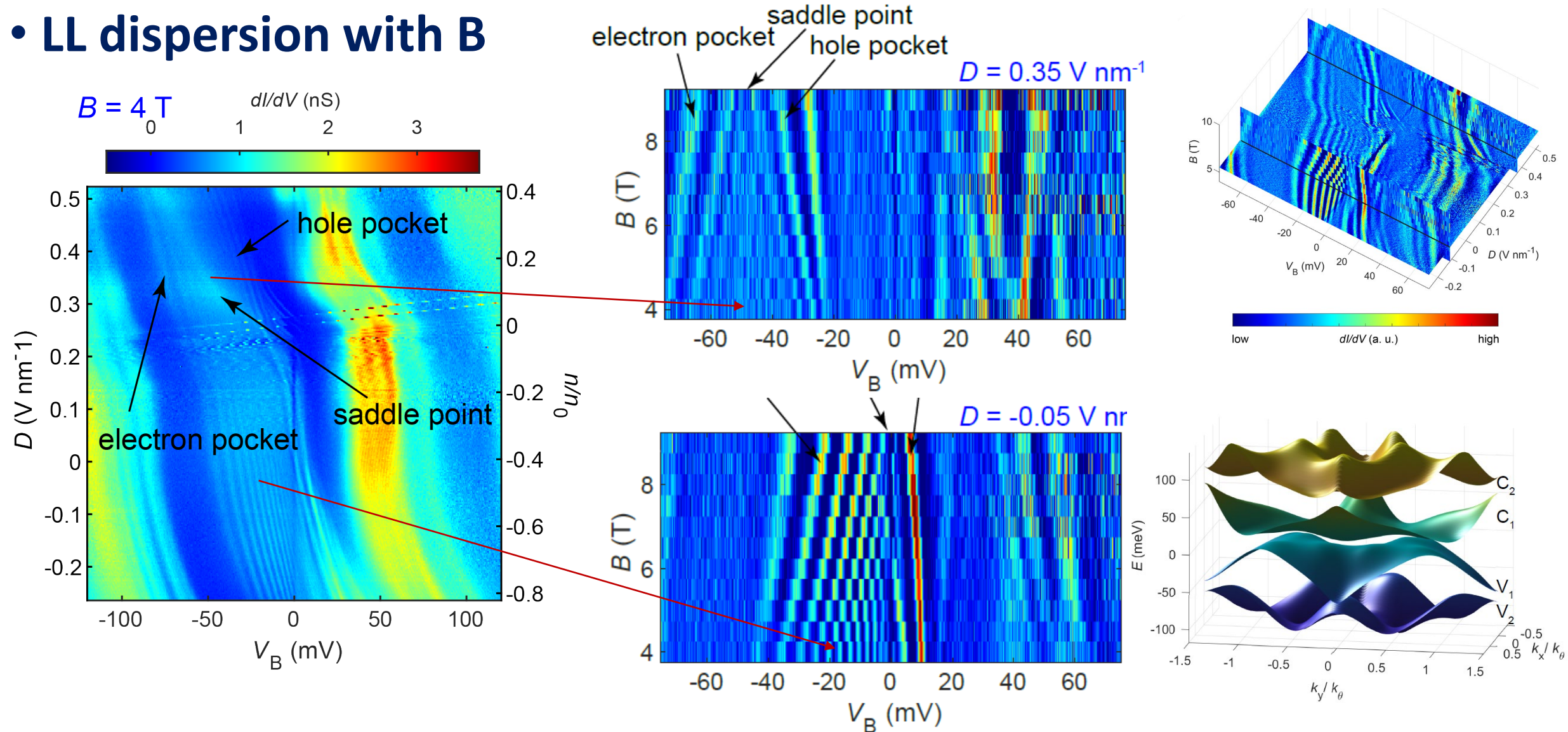
# Comparison to (single-particle) theory





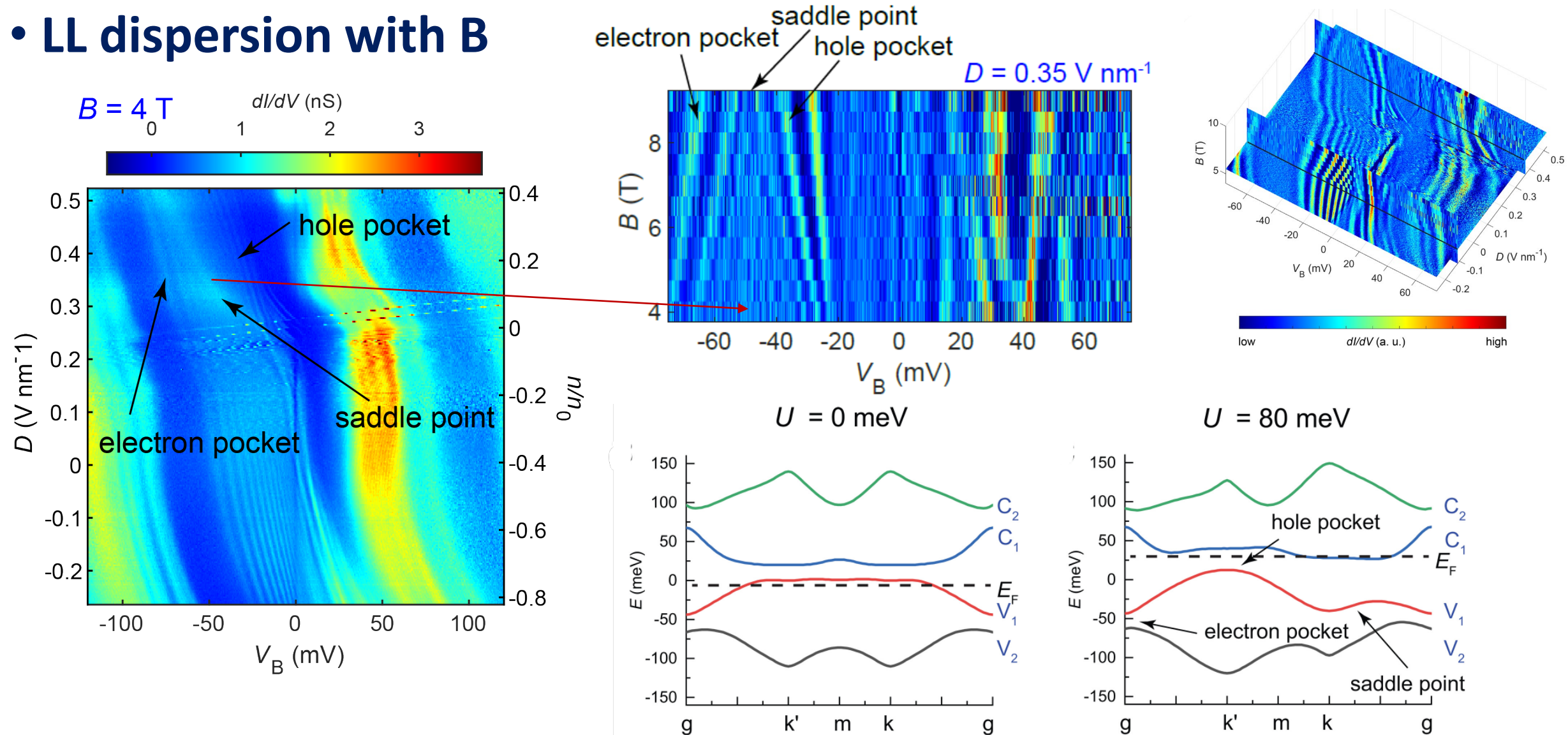
# Electron and hole pockets in magnetic fields NLST

## • LL dispersion with B

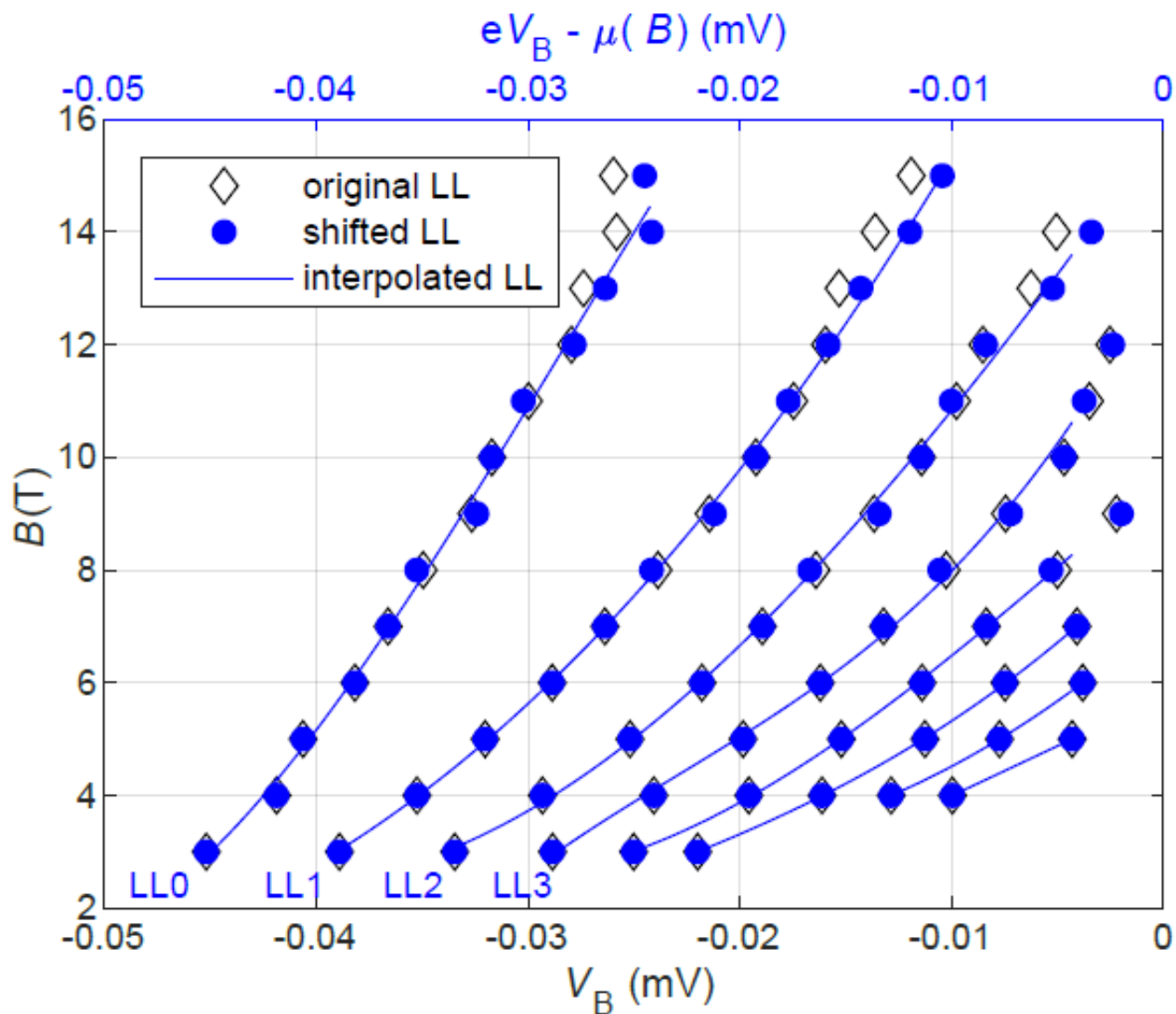


# Electron and hole pockets in magnetic fields NLST

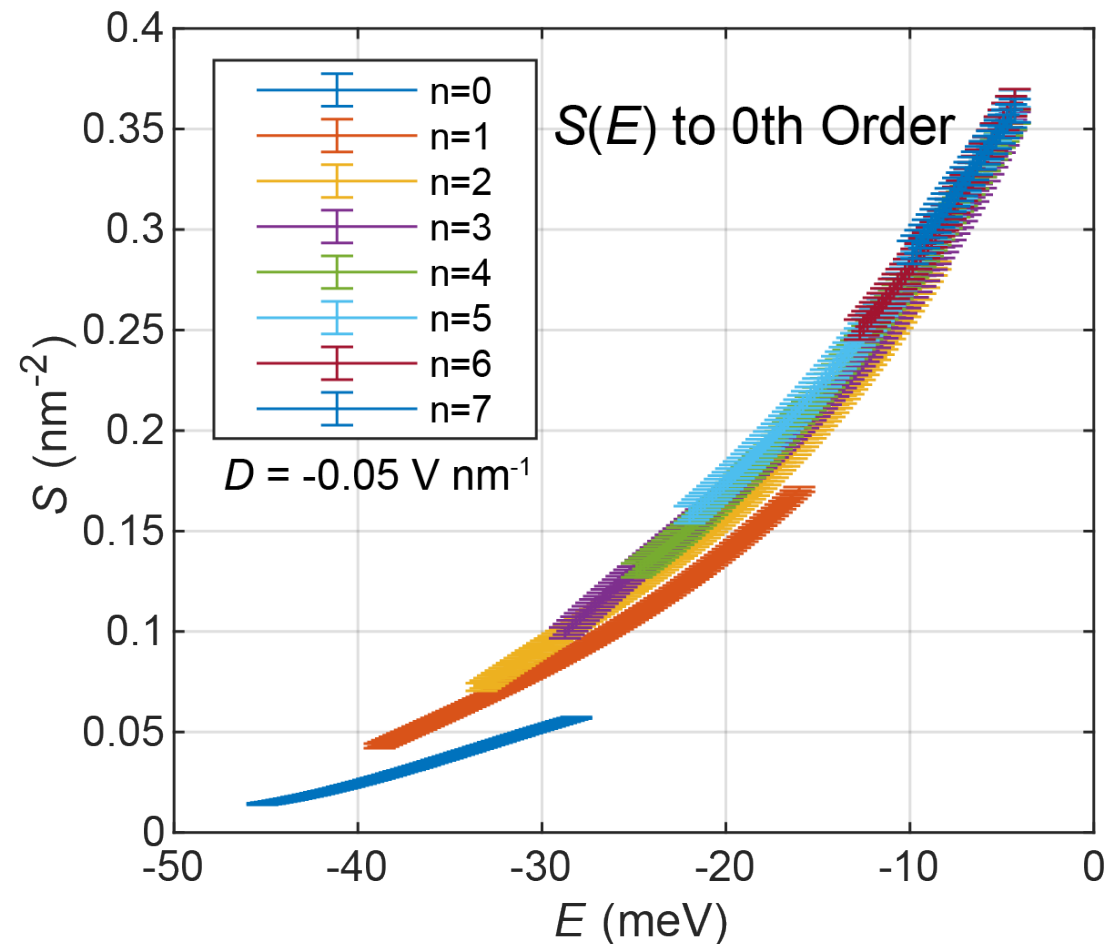
## • LL dispersion with B



# Extracting magnetic response functions



$$S(E_n) = \frac{qB}{\hbar} \cdot 2\pi \left( n + \frac{1}{2} \right)$$



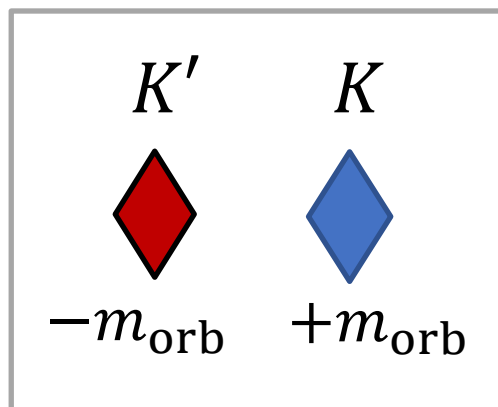
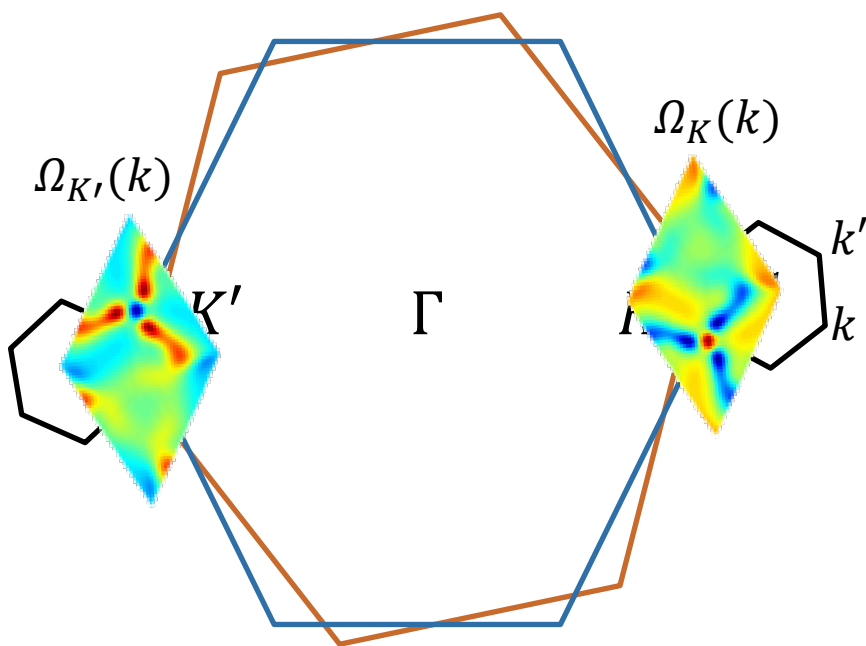
# Geometric contributions

- Extended Onsager relation

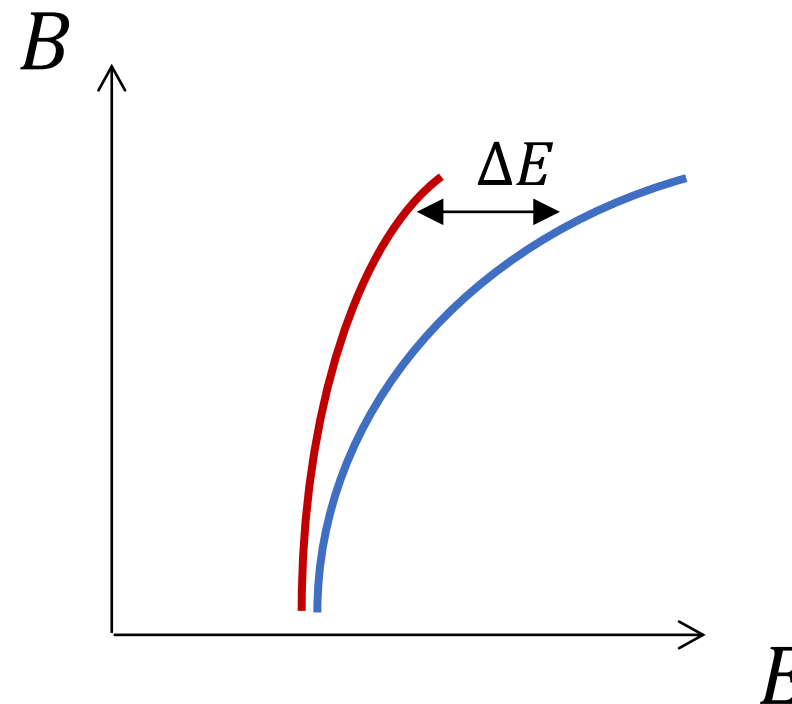
$$B_n(n + 1/2)/\phi_0 = S(E_n)/4\pi^2 + m'(E_n)B_n + \chi'(E_n)B_n^2/2$$

Depends on Berry curvature

Depends on quantum metric and other wave packet properties



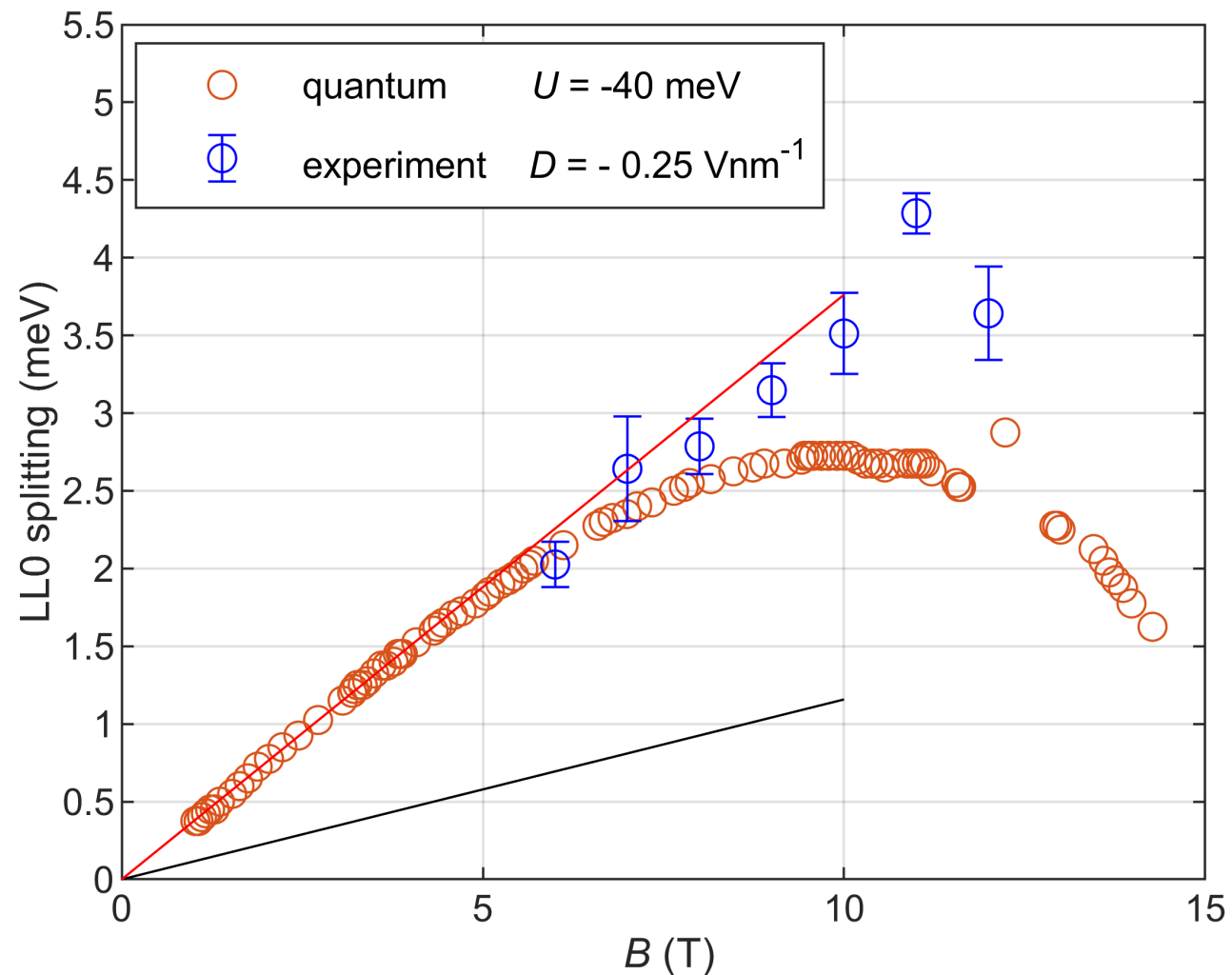
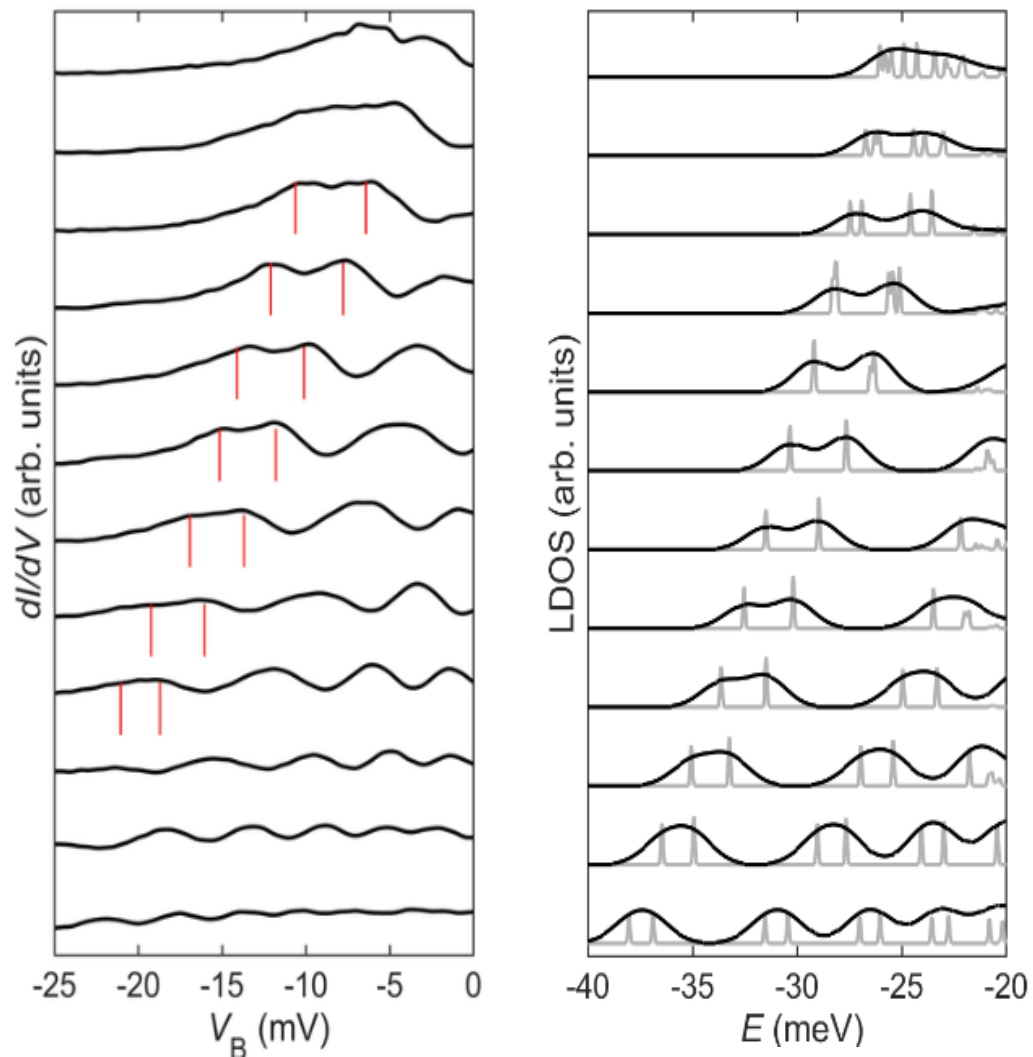
Note that total  $m_{\text{orb}} = 0$ .



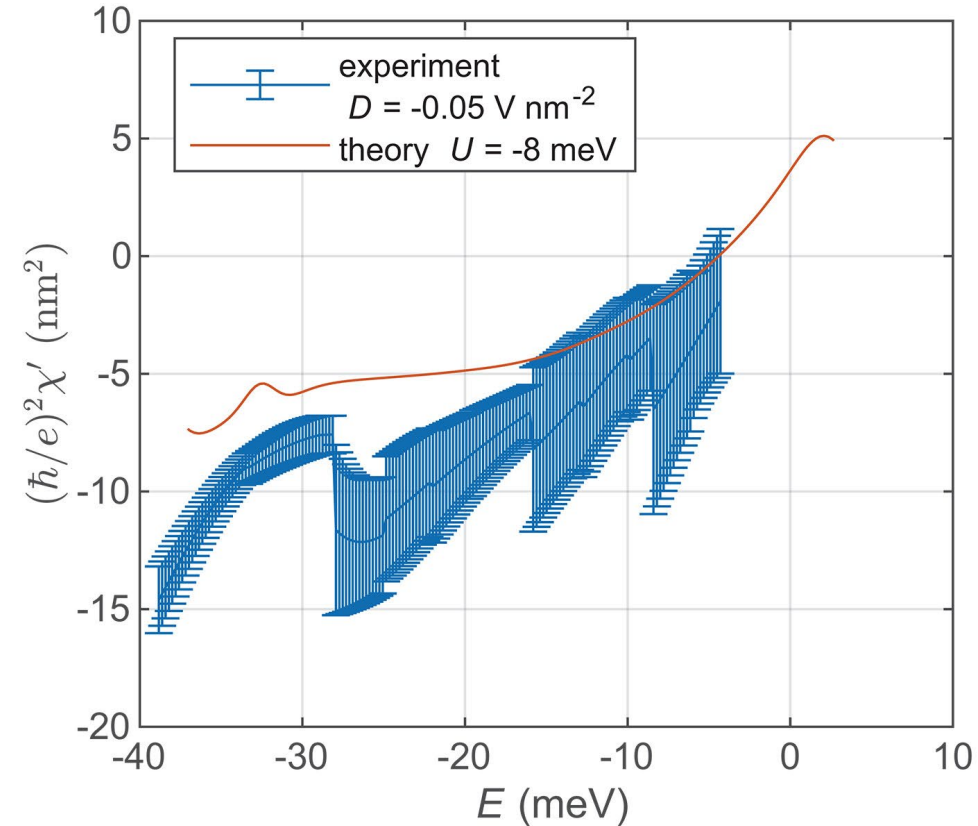
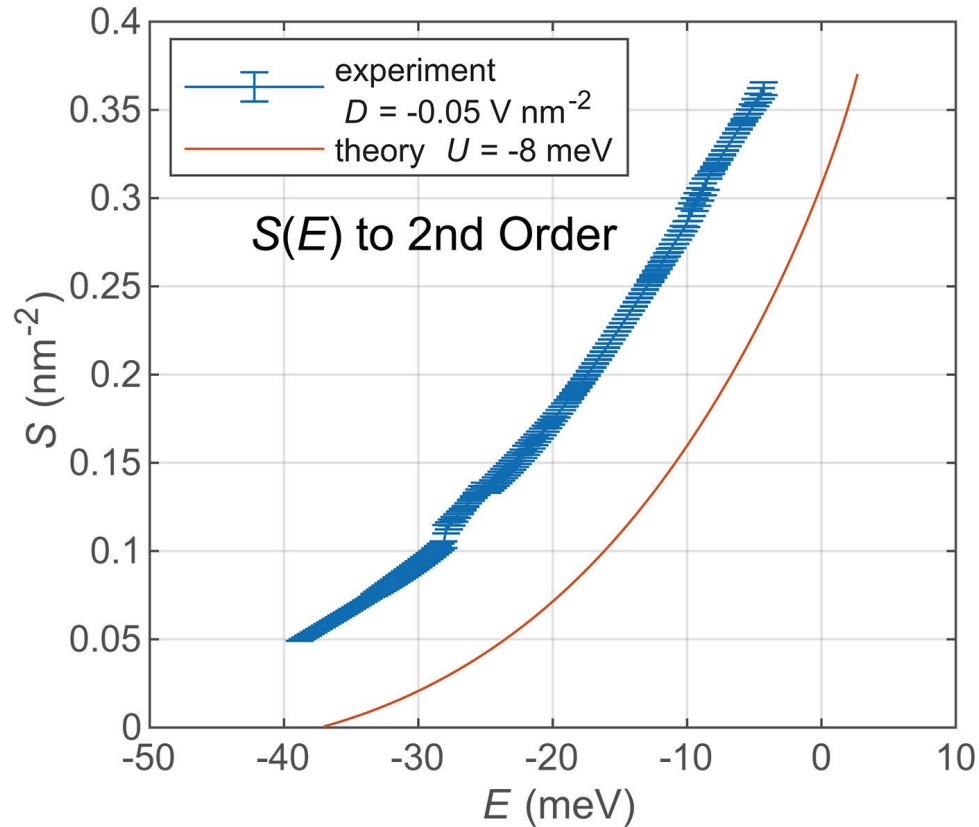
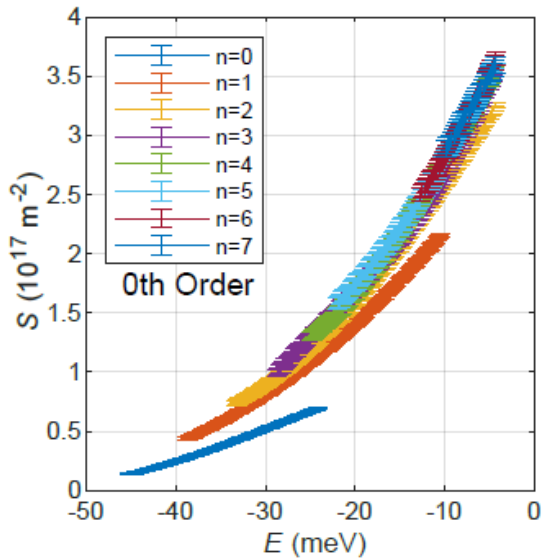
$$\Delta E = g(E)\mu_B B$$

# First order: orbital magnetic moment

B increases



# 2<sup>d</sup> order correction – susceptibility

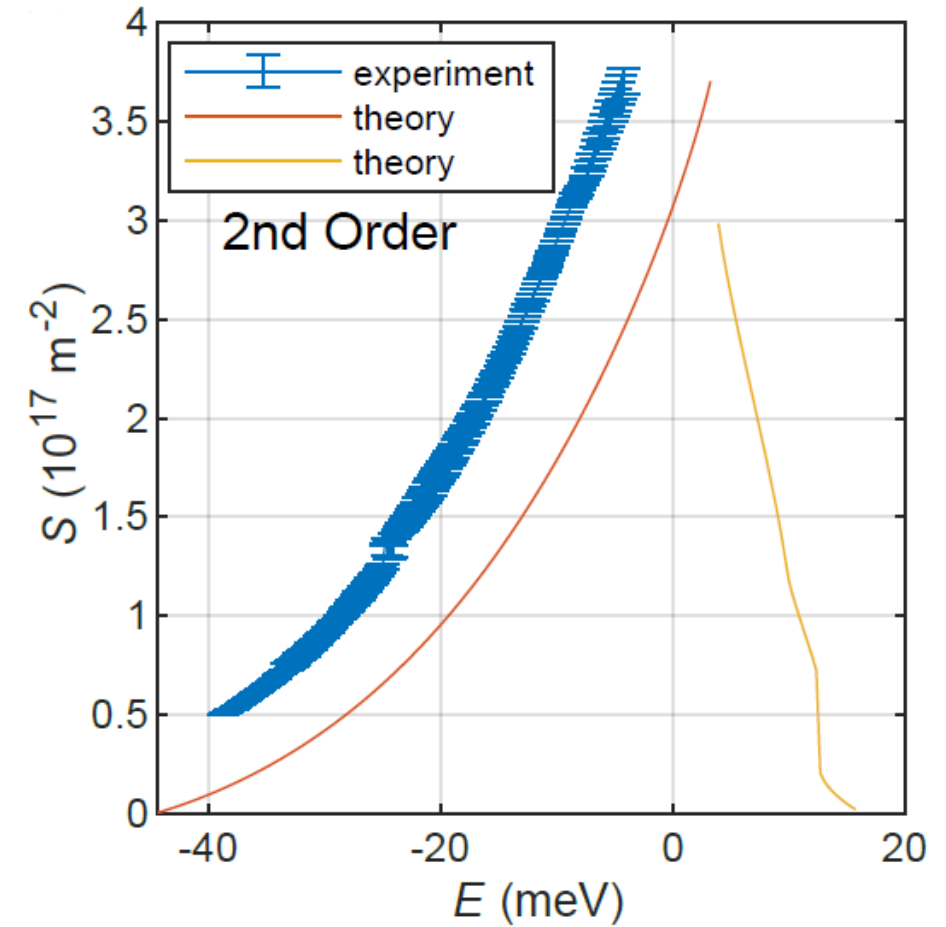
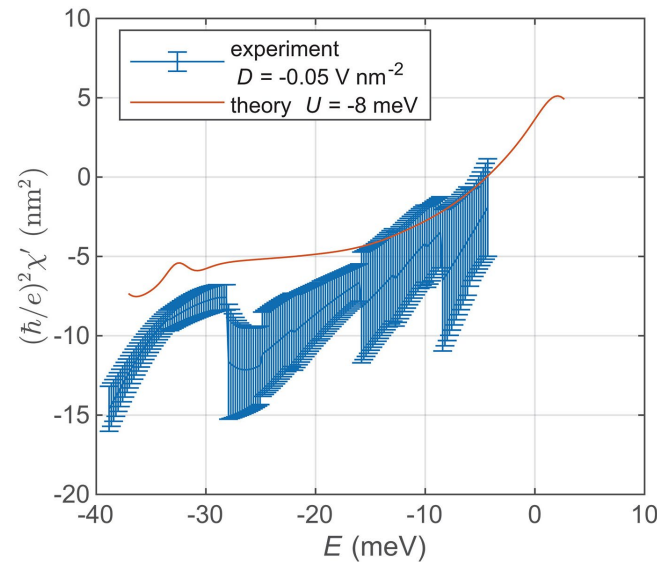
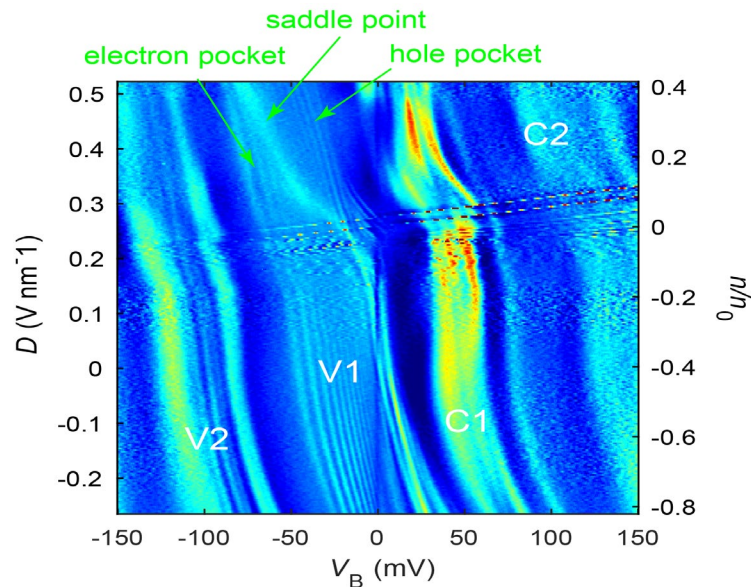


$$B_n(n + 1/2)/\phi_0 = S(E_n)/4\pi^2 + m'(E_n)B_n + \chi'(E_n)B_n^2/2$$

Average  $m'(E_n) \sim 5 \mu\text{A/eV}$ ,  $m \sim 3\mu_B$

# Main points

- Landau level spectroscopy of narrow bands
- Tunable band structure in TDBG changes character from electron-like to hole-like
- Orbital magnetism and magnetic susceptibility detected and quantified



# Thank you for your attention!

## NIST team



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Experiment: Bianca Simmet (on visit to NIST)

### NIST:

#### Theory



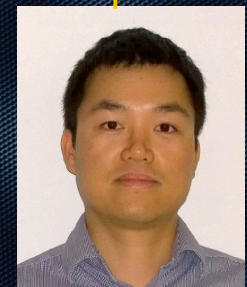
Paul Haney

#### AFM



Evgheni Strelcov

#### Sample Fab



Son Le (LPS)